



MIND MAP

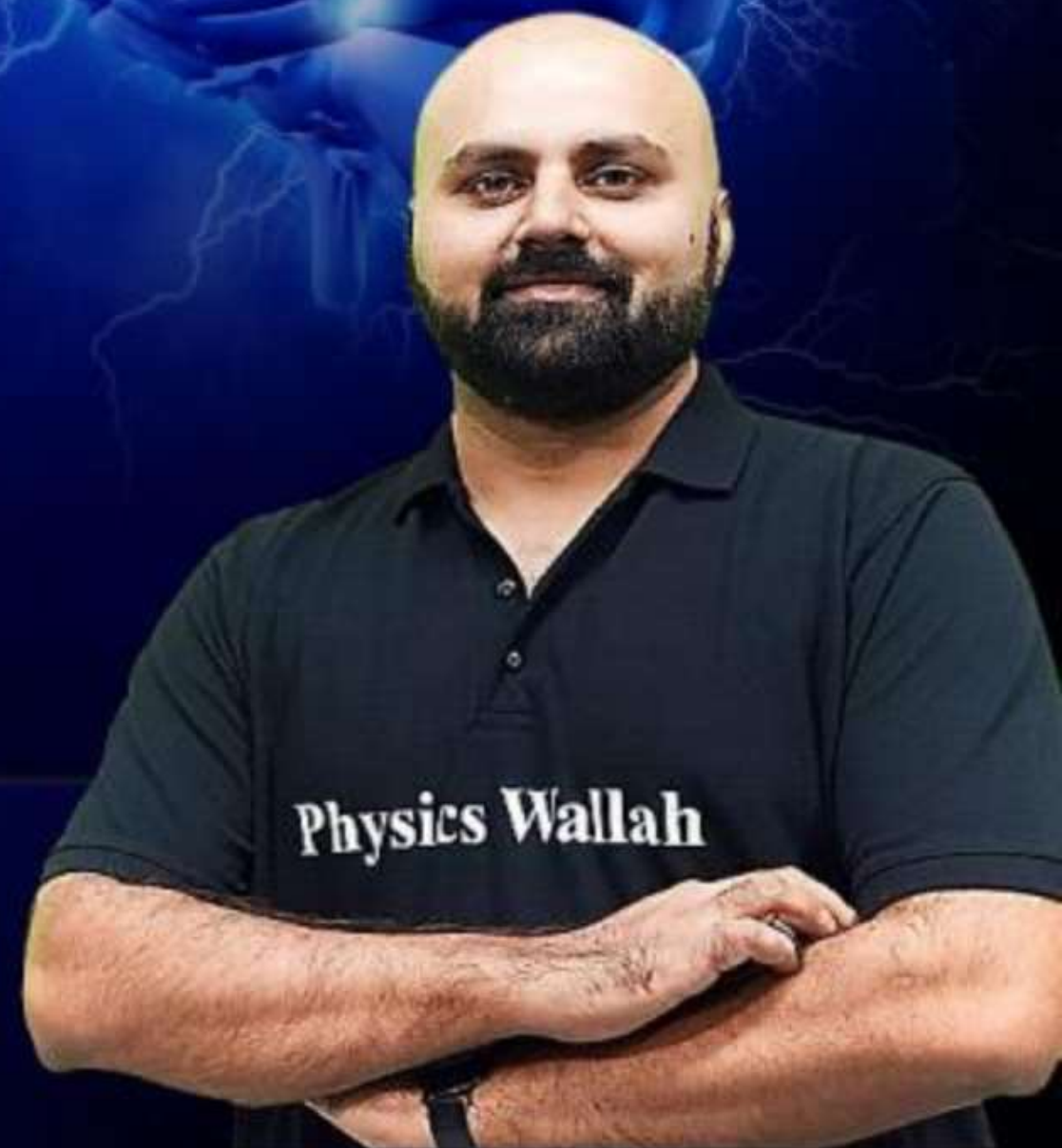
FOR NEET ASPIRANTS

PHYSICAL CHEMISTRY

CHEMICAL EQUILIBRIUM

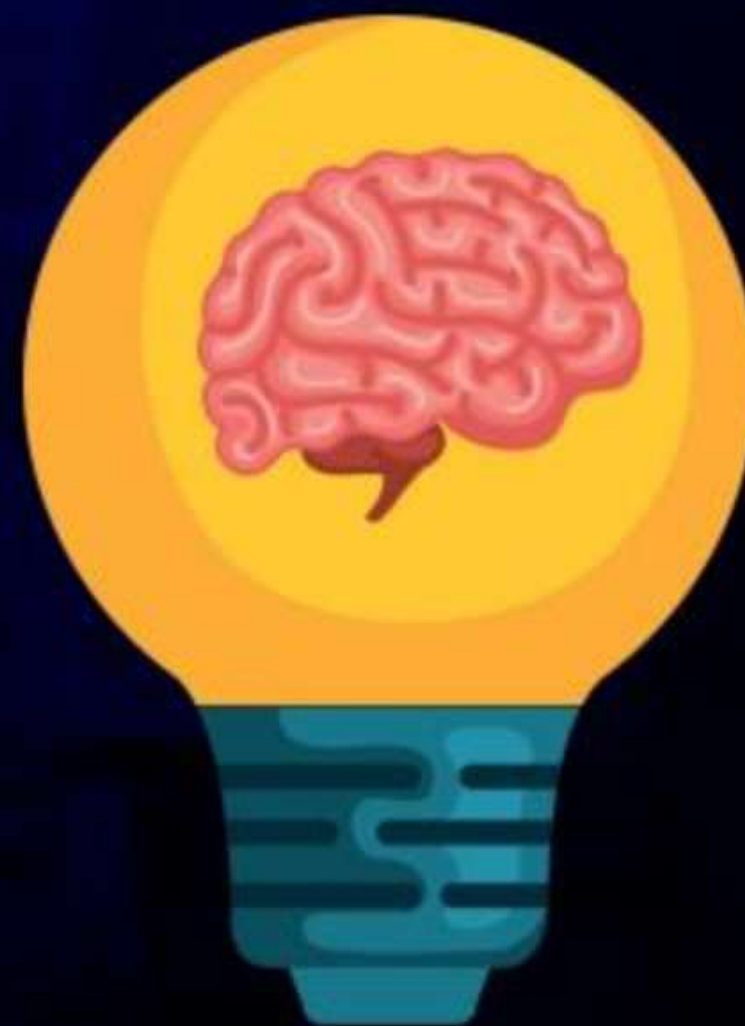
ONE-SHOT

By – Sudhanshu Sir



Topics *to be covered*

- 1 Equilibrium → Introduction *min 20*
- 2 Physical Equilibrium
- 3 Equilibrium Constant and its applications
- 4 le-chatelier's principle



Introduction



Equilibrium

Overall rxn seems to be stopped but at molecular level, rxn occurs in both directions at same speed.

values of all measurable properties becomes constant.

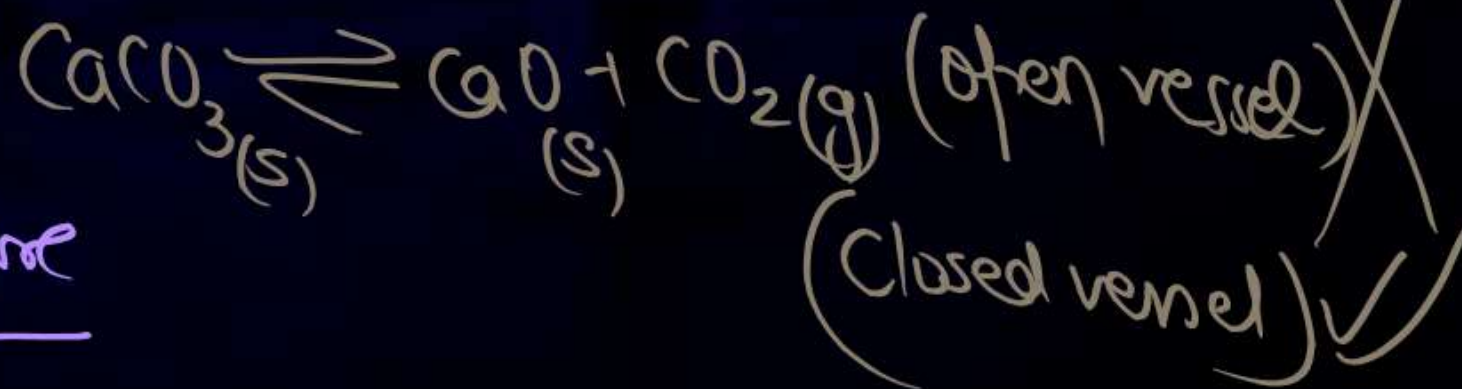
Keq → equilibrium constant

→ stage of rxn where net rate of reactions becomes zero because rate of forward rxn = rate of Backward rxn.

→ is possible only for Reversible rxn
($R \rightleftharpoons P$)

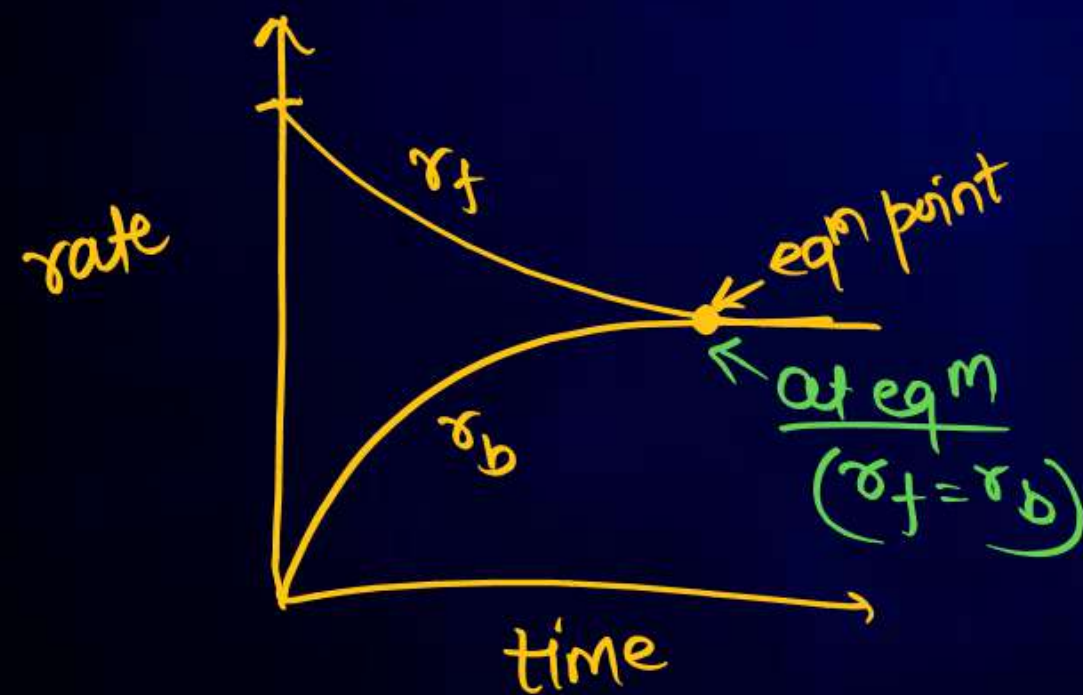
→ is possible in closed vessel.

Dynamic in nature

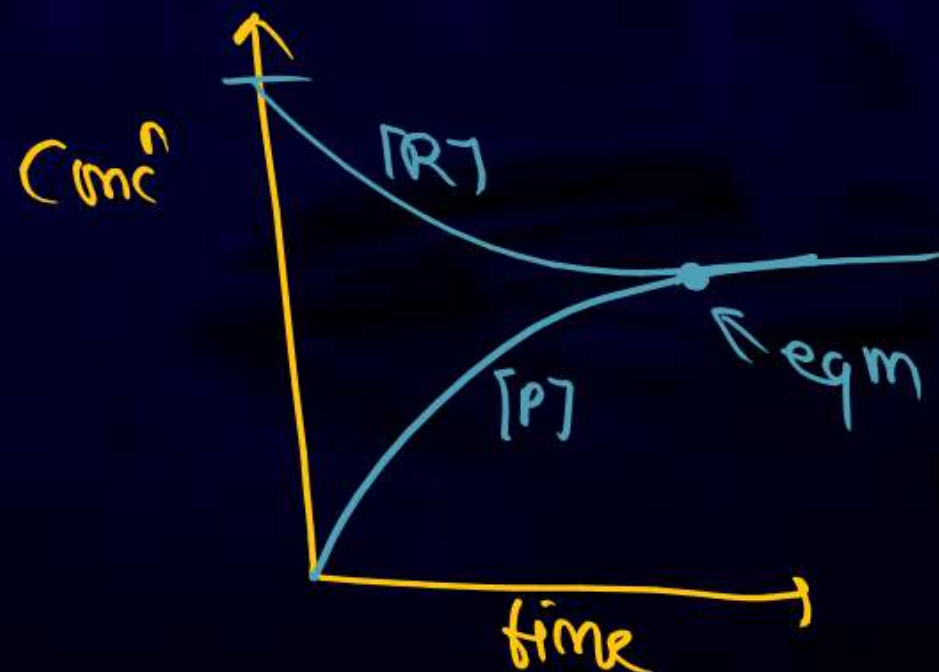
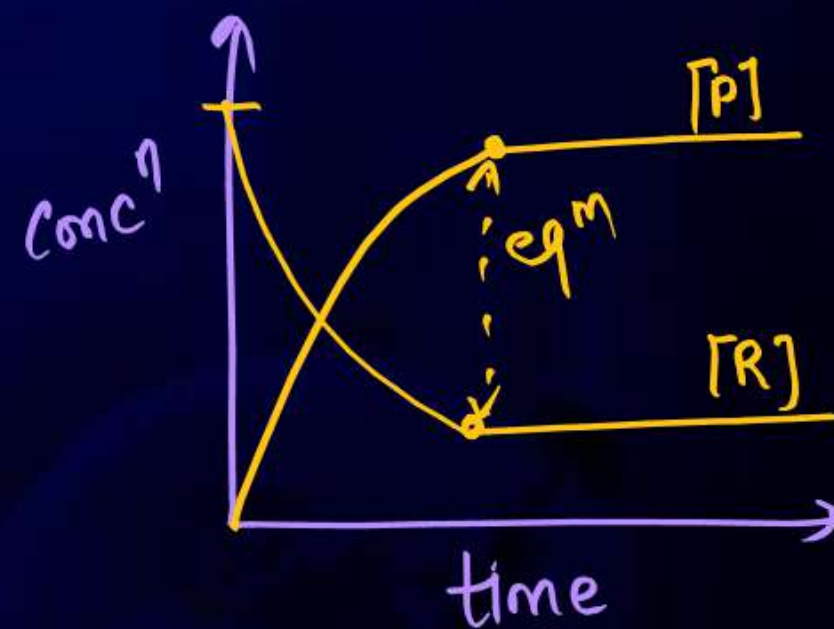
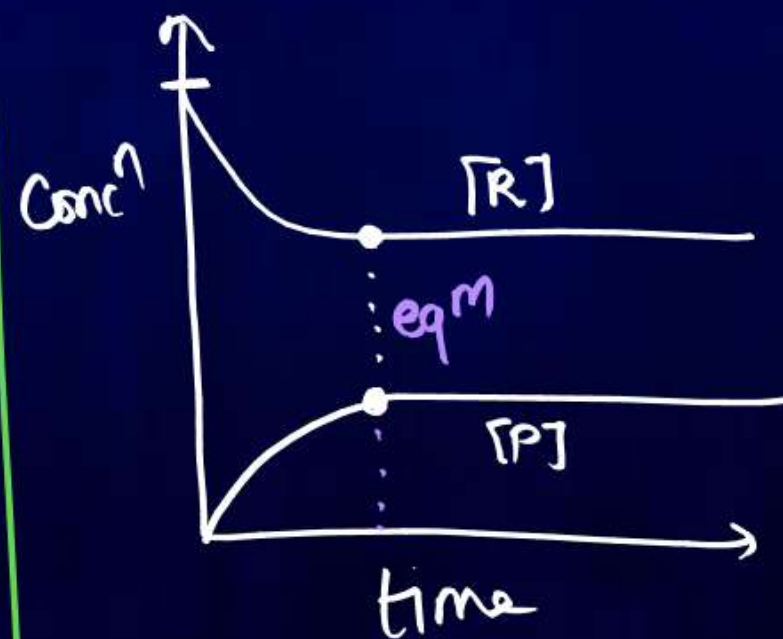


Graphs of Equilibrium

① rate Vs time

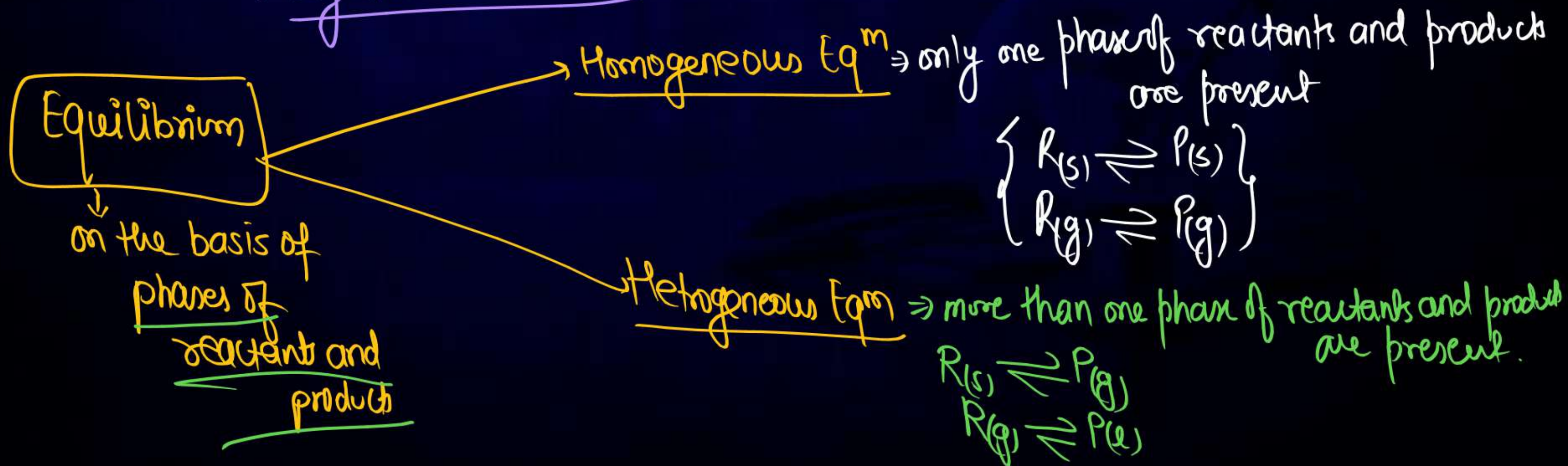
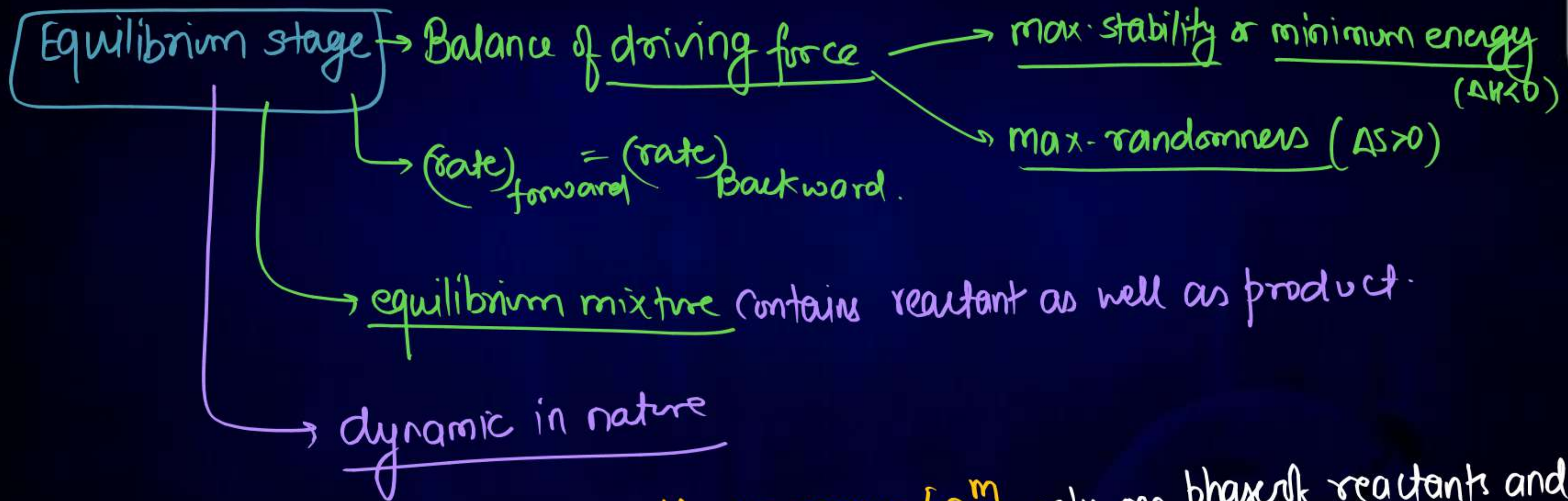


② Concⁿ Vs time



eqⁿ = equation
eq^m = equilibrium





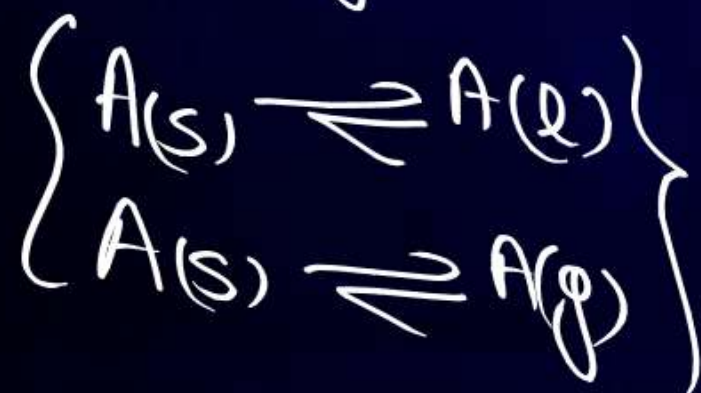
Equilibrium

— on the basis of processes involved



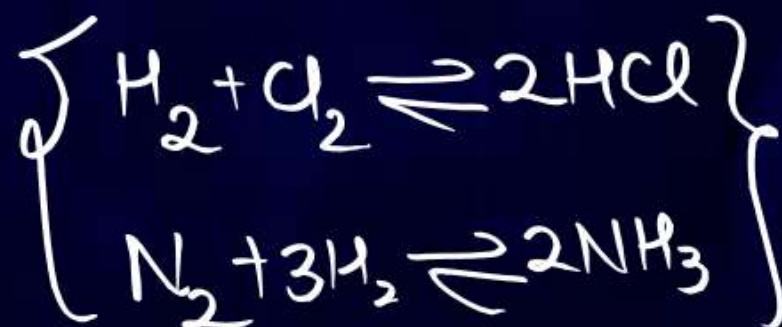
physical eq^m

eq^m involving physical changes.



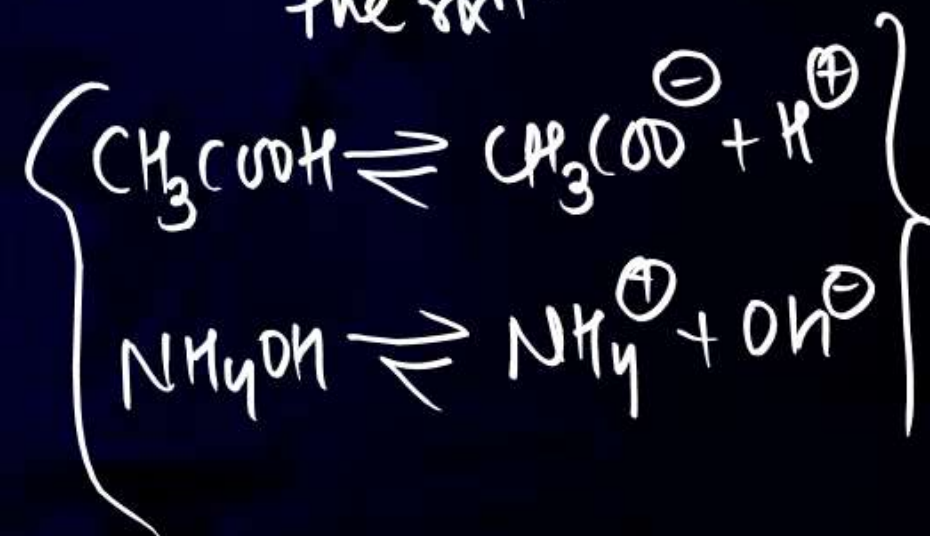
Chemical eq^m

eq^m involving chemical rxn



Ionic Eq^m

eq^m involving ions in the rxn.



Physical Eq^m → for Reversible process } only physical changes
↳ in a closed container



① Solid-liquid Eq^m



← at eq^m ⇒ rate of fusion of $A(s)$ = rate of crystallisation of $A(l)$
Temp = M.pt or f.pt

② Liquid-Gas Eq^m



← at eq^m ⇒ rate of vapourisation of $A(l)$ = rate of condensation of $A(g)$
Temp = B.pt

③ Solid-Gas eq^m



at eq^m ⇒ rate of sublimation of $A(s)$ = rate of de-sublimation of $A(g)$

④ Eq^m in Dissolution of solid in liquid



at eq^m → rate of dissolution of solid in liquid = rate of crystallization of solid from solution.

⑤ Eq^m in dissolution of Gas in liquid



→ always exothermic

at eq^m → rate of dissolution of gas in liquid = rate of escape of gas from liquid.

$\left\{ \begin{array}{l} \text{Solubility of gas in liquid} \propto \frac{1}{\text{Temp}} \\ \propto \text{Pressure} \end{array} \right\} \rightarrow \text{Henry's law}$

Active Mass $\Rightarrow$ for gases, active mass = Pressure

$\rightarrow$ for liquid solution, active mass = Concentration / Molarity (n/v)

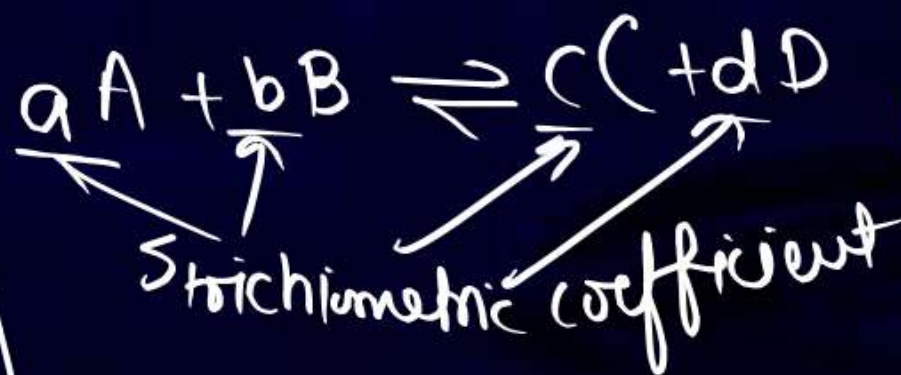
$\rightarrow$ for solids and pure liquids, active mass = 1

$\rightarrow$ intensive property as Molecular mass and density always constant

Concentration is represented by $[]$

$[A] = \text{Conc}^n \text{ of } A$

Law of mass action



Rate of rxn $\propto [\text{Reactant}]^n$

Rate = $k [R]^n$

$\downarrow$
rate constant

$(\text{rate})_{\text{forward}} \propto [A]^a [B]^b$

$(\text{rate})_f = k_f [A]^a [B]^b$

forward rxn

$\rightarrow$ rate constant for

$(\text{rate})_{\text{Backward}} \propto [C]^c [D]^d$

$(\text{rate})_B = k_b [C]^c [D]^d$

$\downarrow$
rate constant for Backward rxn

Law of chemical equilibrium

at eq^m, Net rate of rxn = 0
(rate)_f - (rate)_b = 0

$$(rate)_f = (rate)_b$$

$$K_f [A]^a [B]^b = K_b [C]^c [D]^d$$

$$\frac{K_f}{K_b} = \frac{[C]^c [D]^d}{[A]^a [B]^b} = K_{eq}$$

rate constant
for forward
rxn

rate constant
for Backward rxn



In terms of Concentration

$$(K_{eq})_{\text{conc}} = K_c = \frac{[C]^c [D]^d}{[A]^a [B]^b}$$

In terms of Pressure

$$(K_{eq})_{\text{pressure}} = K_p = \frac{(P_C)^c (P_D)^d}{(P_A)^a (P_B)^b}$$

In terms of mole fraction

$$(K_{eq})_{\text{mole fraction}} = K_x = \frac{(x_C)^c (x_D)^d}{(x_A)^a (x_B)^b}$$



Factors affecting K_{eq}

① Temp.

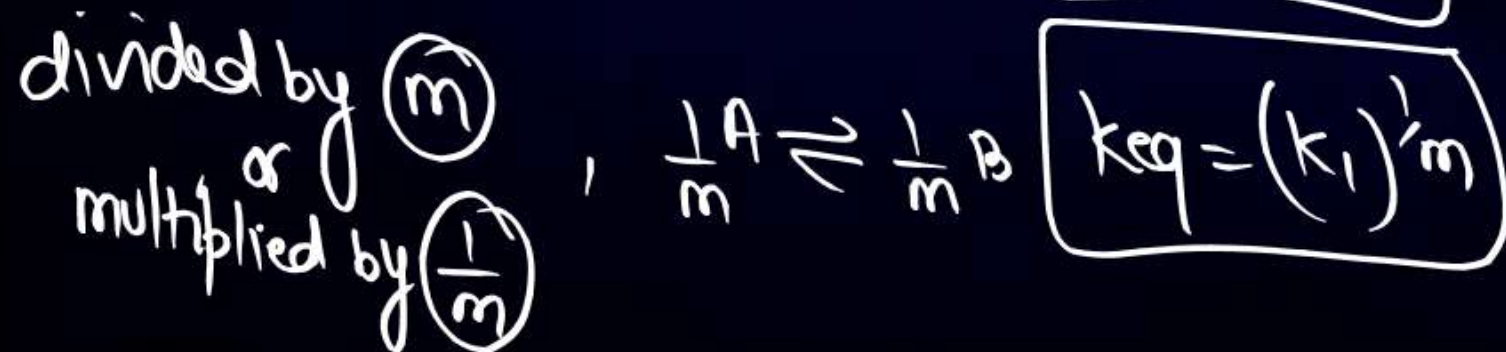
$$\left\{ \ln K_{eq} = \frac{\Delta S^\circ}{R} - \frac{\Delta H^\circ}{RT} \right\} \begin{cases} \text{for endothermic rxn, } K_{eq} \propto \text{Temp.} \\ \text{for exothermic rxn, } K_{eq} \propto \frac{1}{\text{Temp.}} \end{cases}$$

$$\Delta G^\circ = -RT \ln K_{eq} = \Delta H^\circ - T \Delta S^\circ$$

$$\ln \frac{K_2}{K_1} = \frac{\Delta H^\circ}{R} \left(\frac{1}{T_1} - \frac{1}{T_2} \right)$$

$$\log \frac{K_2}{K_1} = \frac{\Delta H^\circ}{2.303R} \left(\frac{1}{T_1} - \frac{1}{T_2} \right)$$

② Stoichiometry of rxn



③ Mode of Representation of rxn

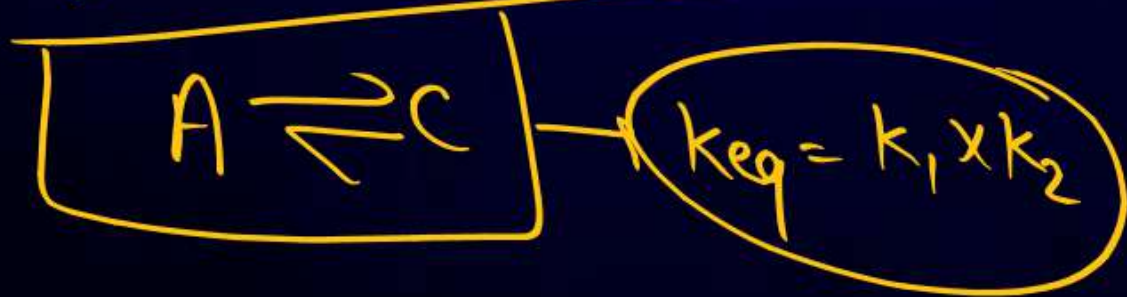


On reversing the rxn



$$(K_{eq})_{\text{forward}} \times (K_{eq})_{\text{Backward}} = 1$$

④ Multi-step rxn



✗ K_{eq} does not depend on

- ① Concentration of Reactant and Products.
- ② Pressure
- ③ Catalyst
- ④ Volume
- ⑤ Steps of rxn
- ⑥ Insertion of inert material

Relation b/w K_p , K_c and K_x



$$K_p = K_c (RT)^{\Delta n_g}$$

$$\rightarrow \Delta n_g > 0 \quad K_p > K_c$$

$$\rightarrow \Delta n_g < 0 \quad K_p < K_c$$

$$\rightarrow \Delta n_g = 0 \quad K_p = K_c$$

$$RT = 1$$

$$T = \frac{1}{R} \approx 12K$$

$$K_p = K_c$$

$$K_p = K_x (P_{\text{total}})^{\Delta n_g}$$

$$\rightarrow \text{if } \Delta n_g = 0 \quad K_p = K_x$$

$$\rightarrow \text{if } P_{\text{total}} = 1 \quad K_p = K_x$$

For any rxn
 $\Delta n_g = \text{m. of gaseous moles of product} - \text{reactant}$

$$\Delta n_g = 0 \rightarrow K_p = K_c = K_x$$

Units of K_{eq}

(1) Unit of K_x = unitless

(2) Unit of $K_c = (\text{unit of conc}^n)^{\Delta n} \rightarrow$ where $\Delta n = \text{no. of moles of product} - \text{reactants}$.

(3) Unit of $K_p = (\text{unit of pressure})^{\Delta n_g} \rightarrow$ where $\Delta n_g = \text{no. of gaseous moles of product} - \text{reactants}$.

Application of K_{eq}



① Extent of rxn

$$K_{eq} = \frac{[P]}{[R]}$$

$$K_{eq} > 10^3 \text{ or } 1000$$

- equilibrium mixture have mostly products.
- $[Products] \gg [Reactants]$
- Product is more stable than reactant.
- rxn is almost at Completion.

$$K_{eq} < 10^{-3} \text{ or } \frac{1}{1000}$$

- eqm mixture have mostly reactants.
- $[Reactants] \gg [Products]$
- Reactant is more stable than Product.
- rxn just started.

$$10^{-3} < K_{eq} < 10^3$$

- eqm mixture have significant amount of products as well as reactants.

② Direction of Rxn

Q_c, Q_p

Q = Reaction Quotient

→ same expression as K_{eq} .

→ defined at any moment of rxn.

→ value of Q varies during the rxn.

→ depends on Temp as well as Concⁿ, pressure, volume.

$Q_c > K_c \Rightarrow$ eqm will shift in backward direction.

$Q_c = K_c \rightarrow$ at equilibrium.

$Q_c < K_c \rightarrow$ eqm will shift in forward direction.



#

$$\Delta G^\circ = -RT \ln K_{eq}$$

$$= -2.303 RT \log K_{eq}$$

Spontaneous process, $\Delta G < 0$
 $K_{eq} > 1$
 $\Delta S_{total} > 0$

$$\Delta G = \Delta G^\circ + RT \ln Q_c$$

at eqm $\Rightarrow \Delta G^\circ = 0$

Non-spontaneous rxn $\left\{ \begin{array}{l} \Delta G > 0 \\ K_{eq} < 1 \\ \Delta S_{total} < 0 \end{array} \right.$

Calculation of Equilibrium Mixture



Case-I → if initial concⁿ & K_c is given



$$K_{eq} = K_c = \frac{[B][C]}{[A]}$$

$$K_c = \frac{x \cdot x}{C-x}$$

at eqm

$$[A] = C-x$$

$$[B] = x$$

$$[C] = x$$

Case-II → if initial Pressure and K_p is given



$$K_p = \frac{(P_B)(P_C)}{(P_A)}$$

$$K_p = \frac{x \cdot x}{(P_0-x)}$$

at eqm

$$P_A = P_0-x$$

$$P_B = x$$

$$P_C = x$$

Case-III → if initial moles and K_c is given

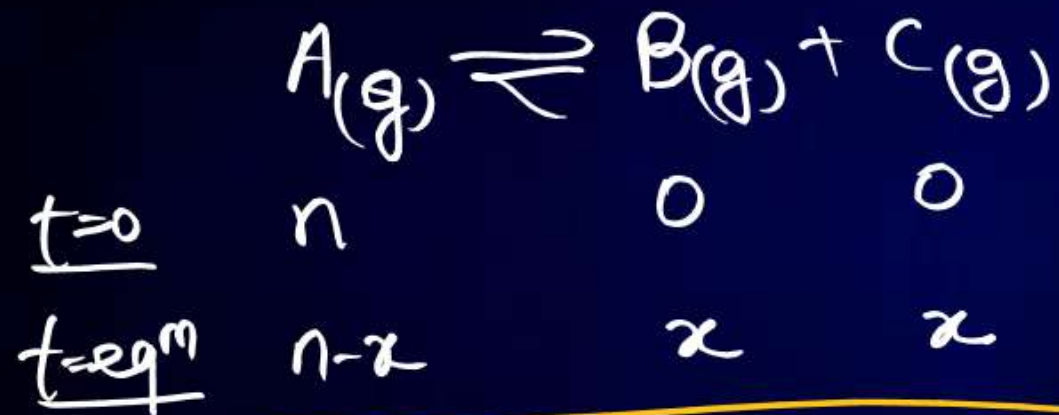


$$K_c = \frac{[B][C]}{[A]} = \frac{x \cdot x}{n-x}$$

$$K_c = \frac{\left(\frac{x}{V}\right)\left(\frac{x}{V}\right)}{\left(\frac{n-x}{V}\right)}$$

→ if vol is not given, then consider $V=1L$

Case-IV → if initial moles and K_p are given



$$K_p = \frac{(P_B)(P_C)}{(P_A)} = \frac{\left(\frac{x}{n+x} \cdot P_{total}\right) \left(\frac{x}{n+x} \cdot P_{total}\right)}{\left(\frac{n-x}{n+x} \cdot P_{total}\right)}$$

at $eq^m \Rightarrow n_{total} = n - x + x + x = n + x$

Partial

$$P_A = x_A \cdot P_{total} = \frac{n-x}{n+x} \cdot P_{total}$$

$$P_B = x_B \cdot P_{total} = \frac{x}{n+x} \cdot P_{total}$$

$$P_C = x_C \cdot P_{total} = \frac{x}{n+x} \cdot P_{total}$$

Dalton's law of Partial Pressure

↳ mixture of non-reactive gases.

$$P_A \propto x_A$$

$$P_A = x_A \cdot P_{total} = \frac{n_A}{n_{total}} \times P_{total}$$

Partial Pressure of A
individual pressure of A

Degree of dissociation (α) :- represent fraction of molecules

undergoing dissociation from 1 mole of reactants.

↳ always in fraction ($0 \leq \alpha \leq 1$)

↳ Sometimes it is given in %. ($0 \leq \alpha \leq 100\%$)

$$\frac{\alpha\%}{100} = \alpha \text{ fraction}$$

$$\alpha = \frac{\text{no. of moles dissociated}}{\text{initial moles taken}}$$

$$\alpha = \frac{M_T - M_0}{(n-1)M_0}$$

where M_T = Theoretical molar mass.

M_0 = observed molar mass.

n = no. of particles after dissociation of 1 mole.



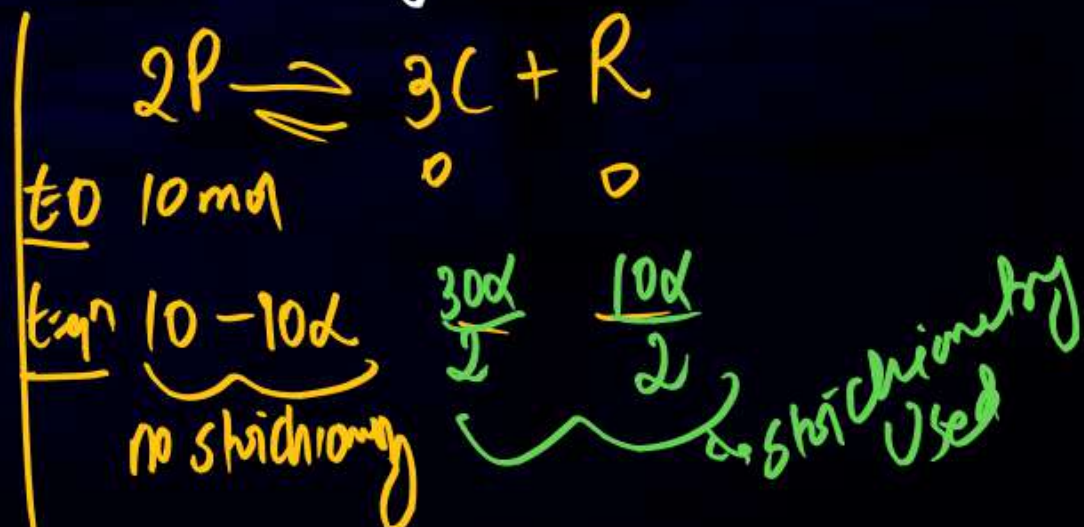
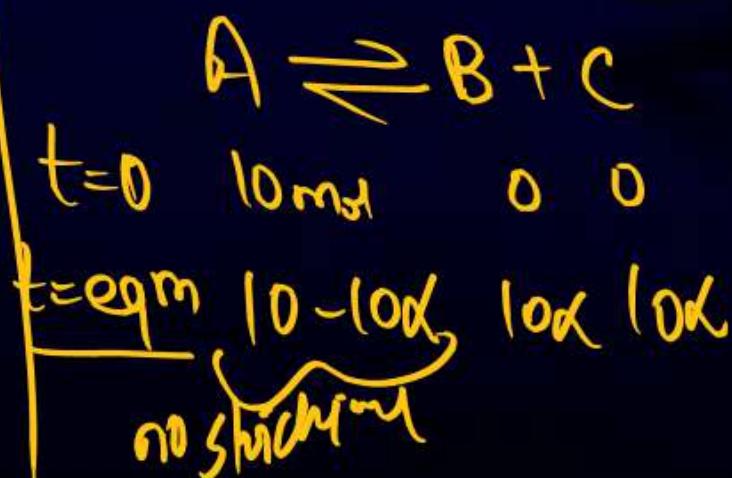
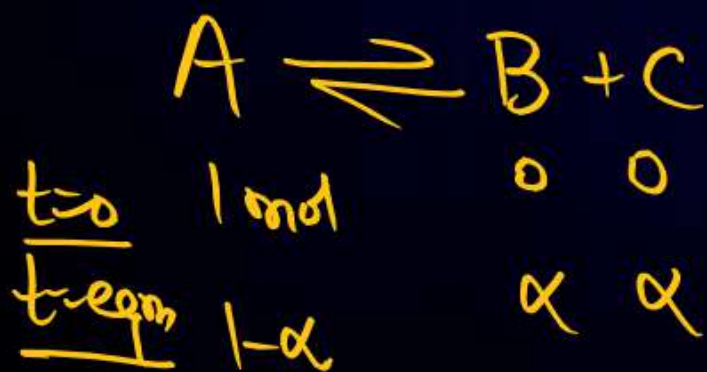
$$(n=2)$$

$$\alpha = \frac{D - d}{(n-1)d}$$

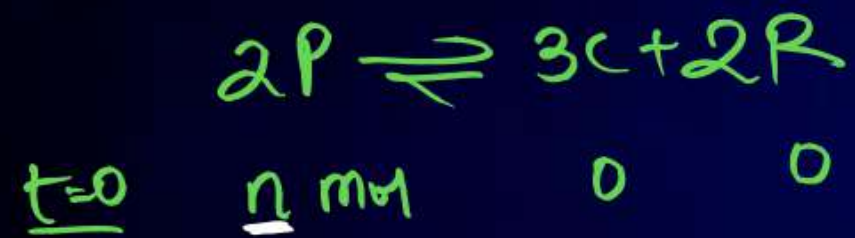
where D = Theoretical v.D

d = observed v.D

n = no. of particles after dissociation of 1 mole.



Case-V → if initial moles and K_c are given
 α = given



t=0 n mol 0 0

t=eqm $n - n\alpha$ $\frac{3n\alpha}{2}$ $n\alpha$

no stoichiometry

$$K_c = \frac{[C]^3 [R]^2}{[P]^2}$$

$$K_c = \frac{\left(\frac{n\alpha}{V}\right)^2 \left(\frac{3n\alpha}{2V}\right)^3}{\left(\frac{n - n\alpha}{V}\right)^2}$$

Case-VI → if initial moles and α and K_p and P_{total}
 at eqm is given



t=0 n mol 0 0

t=eqm $n - n\alpha$ $\frac{3n\alpha}{2}$ $n\alpha$

$$\left. \begin{array}{l} \text{at eqm} \\ n_{total} = n - n\alpha + \frac{3n\alpha}{2} + n\alpha \\ = n \left(1 + \frac{3\alpha}{2}\right) \end{array} \right\}$$

$$P_C = x_C \times P_{total} = \left(\frac{\frac{3n\alpha}{2}}{n \left(1 + \frac{3\alpha}{2}\right)}\right) \cdot P_{total} = \left(\frac{3\alpha}{2 \left(1 + \frac{3\alpha}{2}\right)}\right) \cdot P_{total}$$

$$P_P = x_P \times P_{total} = \left(\frac{n - n\alpha}{n \left(1 + \frac{3\alpha}{2}\right)}\right) \cdot P_{total} = \frac{1 - \alpha}{\left(1 + \frac{3\alpha}{2}\right)} \cdot P_{total}$$

$$P_R = x_R \times P_{total} = \left(\frac{n\alpha}{n \left(1 + \frac{3\alpha}{2}\right)}\right) \cdot P_{total} = \frac{\alpha}{\left(1 + \frac{3\alpha}{2}\right)} \cdot P_{total}$$

$$K_p = \frac{(P_C)^3 (P_R)^2}{(P_P)^2}$$



Shortcut

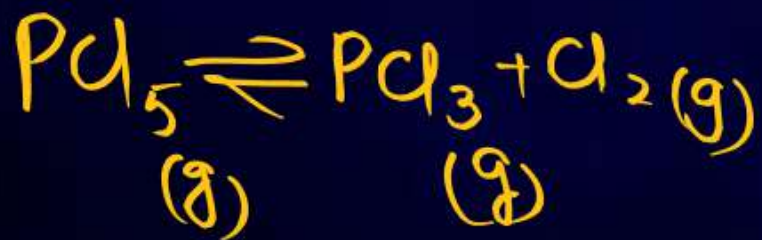


$$K_p = \frac{\alpha^2}{1-\alpha^2} \cdot P_{\text{total}}$$



$$K_p = \frac{4\alpha^2}{1-\alpha^2} \cdot P_{\text{total}}$$

independent of no. of moles





Le-Chatelier's Principle $\Rightarrow$ oppose the changes

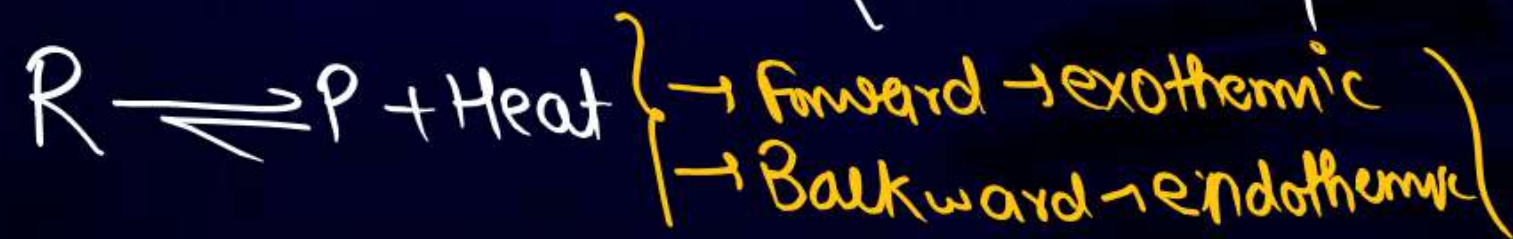
① effect of concⁿ



$[P] \downarrow$ or $[R] \uparrow$ = eq^m will shift in forward direction.

$[P] \uparrow$ or $[R] \downarrow$ = eq^m will shift in Backward direction.

② effect of Temp :- In general $\left\{ \begin{array}{l} \text{Temp. } \uparrow, \text{ eq}^m \text{ will shift in endothermic direction} \\ \text{Temp. } \downarrow, \text{ eq}^m \text{ will shift in exothermic direction} \end{array} \right\}$



Temp. $\uparrow$ = heat $\uparrow \Rightarrow$ eq^m will shift in backward direction

Temp. $\downarrow$ = heat $\downarrow \Rightarrow$ eq^m will shift in forward direction.

③ effect of Pressure or volume

volume $\uparrow$ or Pressure $\downarrow \Rightarrow$ eq^m will shift in more no. of gaseous moles side.

volume $\downarrow$ or Pressure $\uparrow \Rightarrow$ eq^m will shift in less no. of gaseous moles side.

No effect of P/v if $\Delta n_g = 0$

④ Effect of catalyst $\rightarrow$ No effect on (eq^m) or (K_{eq})

$\rightarrow$ reduces the time to achieve eq^m

$\rightarrow$ increases rate of forward & backward rxⁿ by same amount.

⑤ effect of inert gas addition $\rightarrow$ at Constant volume $\Rightarrow$ No effect.

at Constant Pressure $\Rightarrow$ volume $\uparrow =$ eq^m will shift in more gaseous moles side.





Homework

→ pyqs
→ NICERT





Thank you