

# ULTIMATE KCET

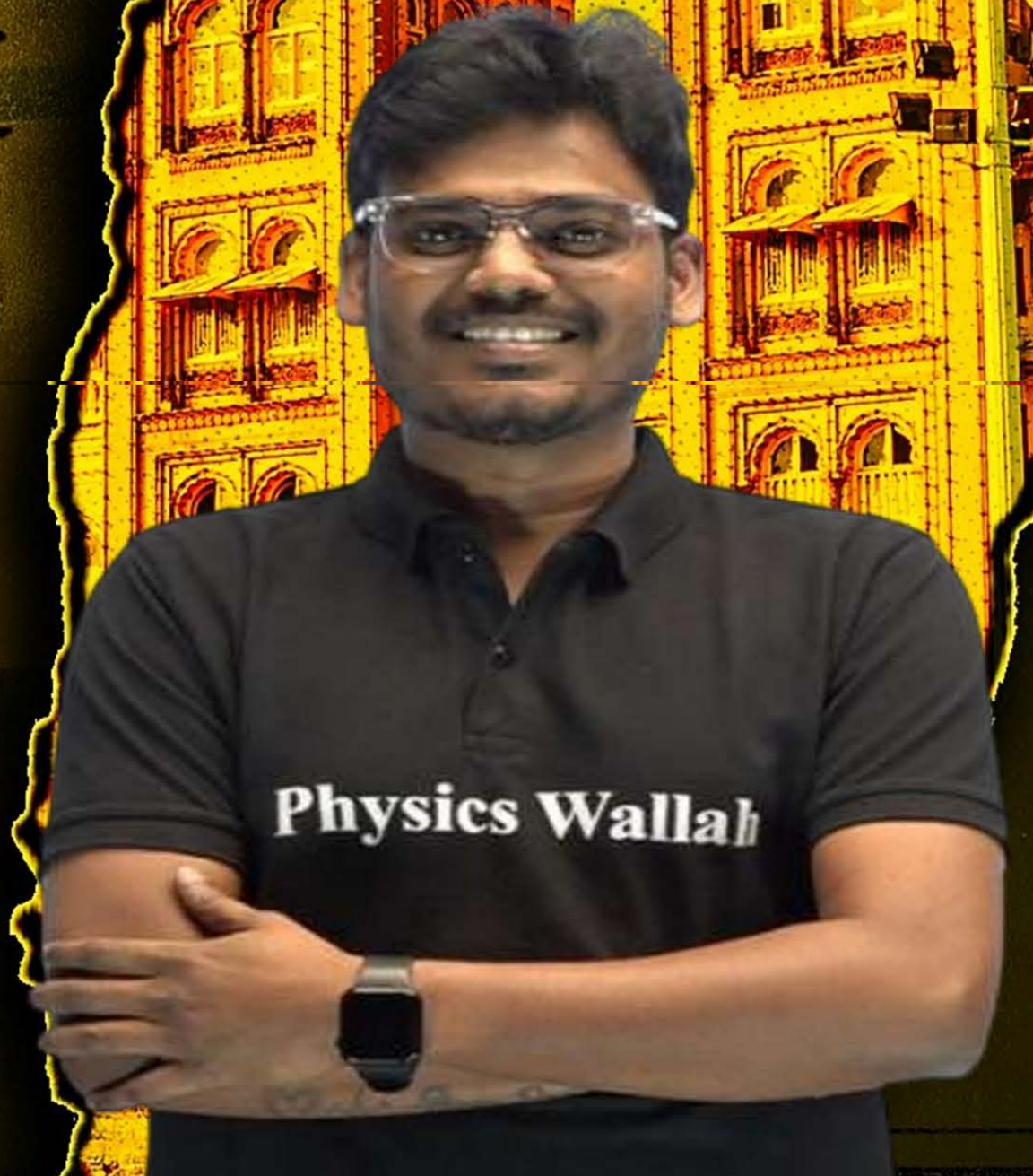
## CRASH COURSE 2026

Physics

Lecture: 01

**Mechanical properties  
of fluids & Thermal  
properties of matter**

By: AK Sir



# Recap

*of previous lecture*

- 1 GRAVITATION
- 2 QUESTIONS ON GRAVITATION
- 3 MECHANICAL PROPERTIES OF SOLIDS
- 4 QUESTION MPOS

# Topics

*to be covered*

- 1 MECHANICAL PROPERTIES OF FLUIDS
- 2 QUESTIONS ON MPOF
- 3 THERMAL PROPERTIES OF MATTER
- 4 QUESTION TPOM

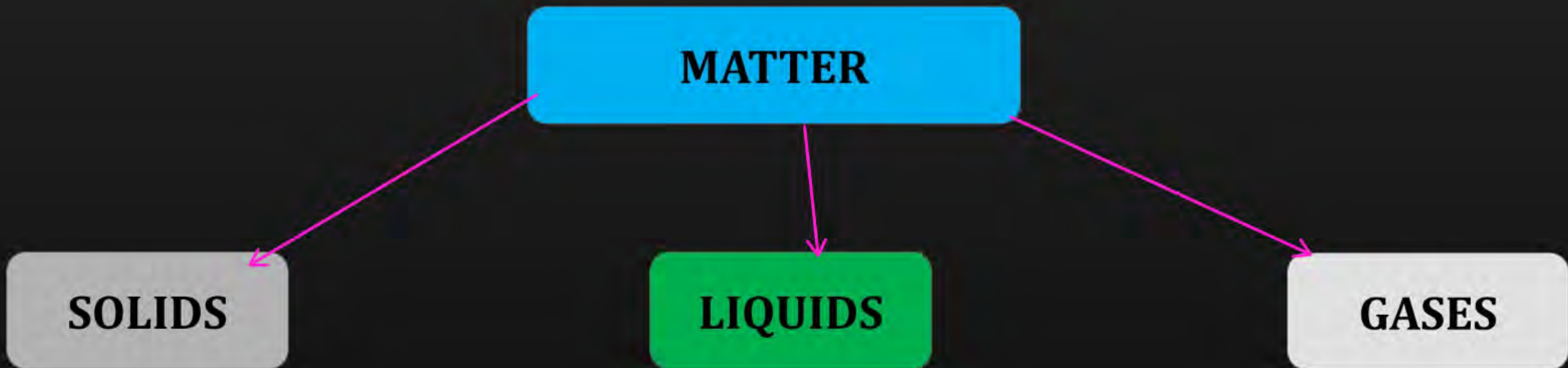




# **Mechanical Properties of Fluids**



# MATTER

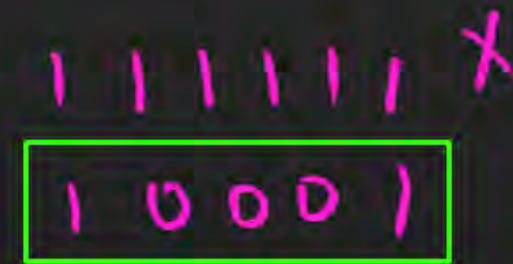
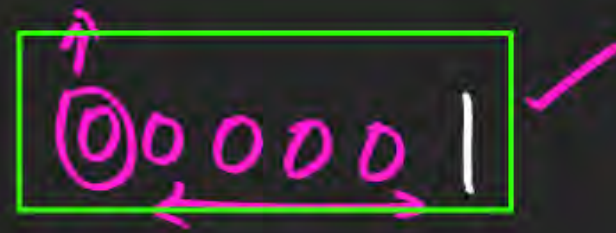




# FLUIDS

Density :

$$D = \frac{M}{V} \rightarrow \text{Kg/m}^3$$



Relative density :

$$R.D = \frac{\text{Density of substance}}{\text{Density of Water at 4}^\circ\text{C}}$$

Pressure :

$$P = \frac{F}{A}$$

$$F = PA$$

$$P = 1.013 \times 10^5 \text{ Pa}$$

$\hookrightarrow \text{N/m}^2$   
 $\hookrightarrow \text{Pa}$



# FLUIDS

$$P + K.E + P.E = \text{const}$$

$$\frac{P}{\rho_0} + \frac{1}{2} \left( \frac{\rho V}{\rho_0} \right)^2 + \left( \frac{\rho}{\rho_0} \right) gh = \text{const}$$

Bernoulli's theorem :

$$P_E + \frac{1}{2} \rho V^2 + \rho gh = \text{const}$$

Equation of continuity :

$$AV = \text{constant}$$

$$A_1 V_1 = A_2 V_2$$

$$A = \pi r^2$$

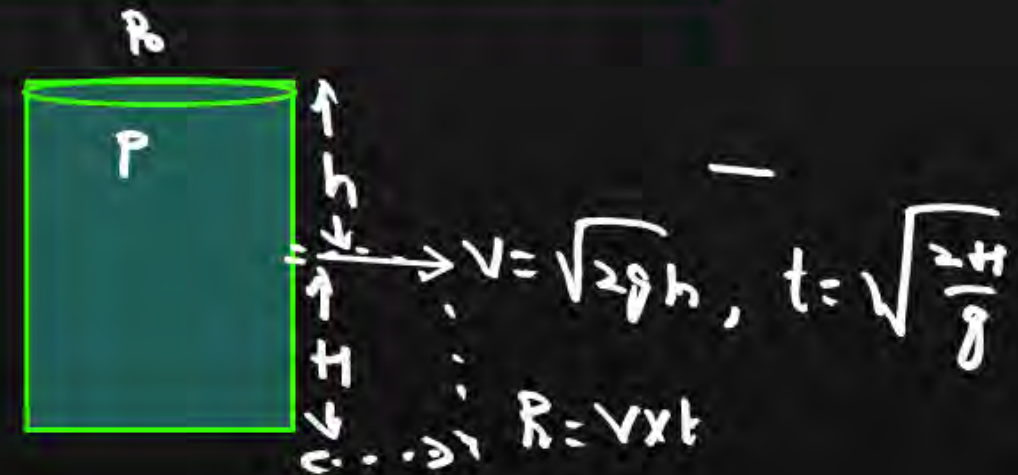
$$\frac{V_1}{V_2} = \frac{A_2}{A_1} = \left( \frac{r_2}{r_1} \right)^2 = \left( \frac{d_2}{d_1} \right)^2$$



Velocity of efflux :

$$v = \sqrt{2gh + \frac{2(P - P_0)}{\rho}} \rightarrow \text{closed tank}$$

$$v = \sqrt{2gh} \rightarrow \text{open tank}$$





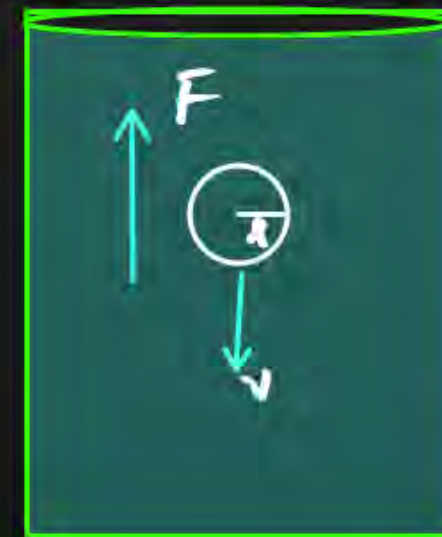
# FLUIDS

According to Newton, Viscous force (F) of a liquid between two layers is given by

$$F = -\eta A \frac{dv}{dx}$$

Stokes Law :

$$F = -6\pi\eta r v$$



# FLUIDS

Terminal velocity :

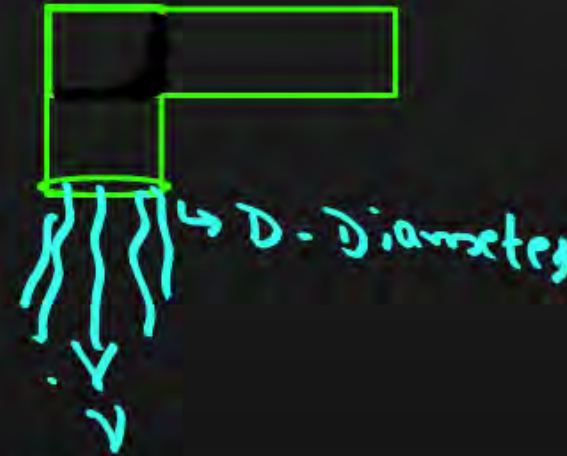
$$v = \frac{(\rho - \sigma) 2gr^2}{9\eta}$$

Reynold Number :

$$N_R = \frac{\rho v D}{\eta}$$

$N_R < 1000 \rightarrow$  Streamline

$N_R > 2000 \rightarrow$  Turbulent flow



Uplift Force

$$F = PA$$

$$F = A(P_2 - P_1)$$

$$F = \frac{1}{2} \rho (v_2^2 - v_1^2) A$$

↓  
Wind speed



# FLUIDS

Surface tension :

$$S = \frac{F}{L}$$

$$\frac{[M^1 L^1 T^{-2}]}{[L^1]} = [M^1 L^0 T^{-2}]$$

Work done in forming a liquid drop

$$W = 4\pi R^2 S$$



Work done in forming a soap bubble :

$$W = 8\pi R^2 S$$



Work done in increasing the radius of a liquid drop and soap bubble :

$$W = 4\pi S (R_2^2 - R_1^2)$$

↳ liquid drop

$$W = 8\pi S (R_2^2 - R_1^2)$$

↳ soap bubble



## FLUIDS

Excess of pressure inside a liquid drop :

$$P = \frac{2S}{R}$$

Excess of pressure inside a soap bubble :

$$P = \frac{4S}{R}$$

The rise or fall in capillary tube :

$$h = \frac{2S \cos \theta}{\rho g r}$$

## QUESTION



Two water pipes P and Q having diameter  $2 \times 10^{-2}$  m and  $4 \times 10^{-2}$  m respectively are joined in series with the main supply line of water. The velocity of water flowing in pipe P is

- A** 4 times that of Q
- B** 2 times that of Q
- C** 1/2 times that of Q
- D** 1/4 times that of Q

$$\frac{v_1}{v_2} = \left(\frac{d_2}{d_1}\right)^2$$

$$\frac{v_P}{v_Q} = \left(\frac{d_Q}{d_P}\right)^2 = \left(\frac{4 \times 10^{-2}}{2 \times 10^{-2}}\right)^2 = 2^2 = 4$$

$$v_P = 4v_Q$$

## QUESTION

Water is flowing through a non-uniform radius tube. If ratio of the radius of entry and exit end of the pipe is 3: 2 then the ratio of velocities of entering and exit liquid is

$$r_1 : r_2$$

$$\frac{v_1}{v_2} = \left(\frac{r_2}{r_1}\right)^2 = \left(\frac{2}{3}\right)^2 = \frac{4}{9}$$

A

4 : 9

B

9 : 4

C

8 : 27

D

1 : 1

$$\frac{v_1}{v_2} = \frac{4}{9}$$

## QUESTION



The velocity of water flowing in a non-uniform tube is 20 cm/s at a point where the tube radius is 0.2 cm. The velocity at another point, where the radius is 0.1 cm is

**A** 80 cm/s

**B** 40 cm/s

**C** 20 cm/s

**D** 5 cm/s

$$\frac{v_1}{v_2} = \left(\frac{r_2}{r_1}\right)^2$$

$$\frac{20}{v_2} = \left(\frac{0.1}{0.2}\right)^2$$

$$\frac{v_2}{20} = \left(\frac{0.2}{0.1}\right)^2 = 4$$

$$v_2 = 4 \times 20$$

$$v_2 = 80 \text{ cm/s}$$

## QUESTION



A wind with speed 40 m/s blows parallel to the roof of a house. The area of the roof is  $250 \text{ m}^2$ . Assuming that the pressure inside the house is atmospheric pressure, the force exerted by the wind on the roof and the direction of the force will be:

( $\rho_{air} = 1.2 \text{ kg / (m}^3\text{)}$ )

- A  $4.8 \times 10^5 \text{ N}$ , upwards
- B  $2.4 \times 10^5 \text{ N}$ , Upwards
- C  $2.4 \times 10^5 \text{ N}$ , Downwards
- D  $4.8 \times 10^5 \text{ N}$ , Downwards

$$F = \frac{1}{2} \rho (v_2^2 - v_1^2) A$$

$$F = \frac{1}{2} \times 1.2 \times [(40)^2 - 0] \times 250$$

$$F = 240000$$

$$F = 2.4 \times 10^5 \text{ N}$$

## QUESTION



The total area of wings on a an aero planes is  $10 \text{ m}^2$  The speed of air above and below the wings is  $140 \text{ m/s}$  and  $110 \text{ m/s}$ . The force on the airplane by air is ?

( $\rho_{air} = 1.28 \text{ kg/m}^3$ )

$$F = \frac{1}{2} \rho (v_2^2 - v_1^2) A$$

$$F = \frac{1}{2} \times 1.28 \times [(140)^2 - (110)^2] \times 10$$

$$F = 6.4 \times (19600 - 12100)$$

$$F = 48000 \text{ N}$$

**A** 48750 N

**B** 48000 N

**C** 95000 N

**D** 50000 N

## QUESTION



The excess of pressure inside a **soap bubble** than that of the outer pressure is:

**A**  $2T/r$

**B**  $4T/r$

**C**  $T/2r$

**D**  $T/r$

## QUESTION



If radius of two soap bubbles are  $R_1$  and  $R_2$  respectively combined in vacuum in **isothermal conditions** to form a single **soap bubble** then radius of combined soap bubble is

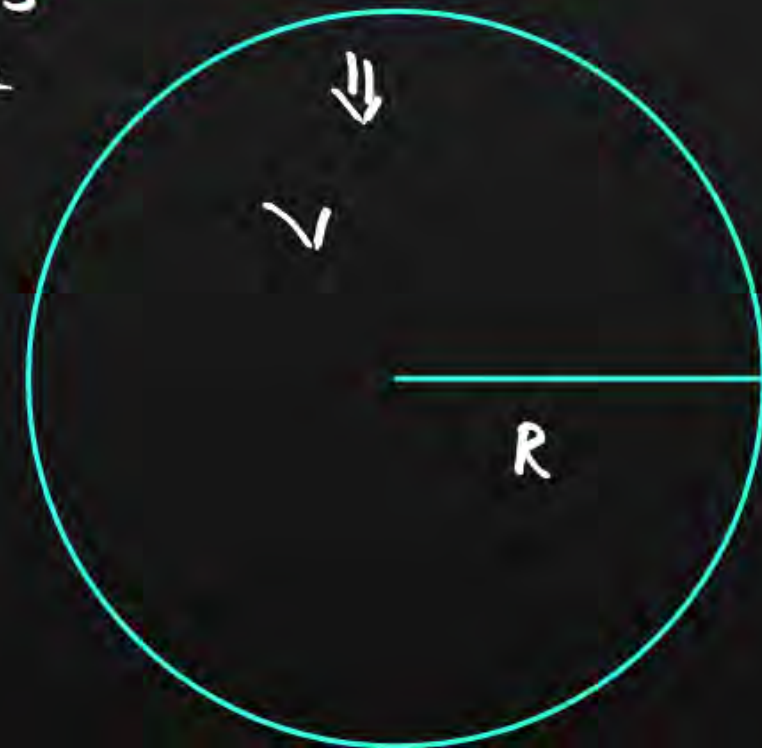
$$\hookrightarrow PV = nRT = \text{constant}$$

$$PV = P_1V_1 + P_2V_2$$

$$\frac{4S}{R} \cdot \frac{4}{3}\pi R^3 = \frac{4S}{R_1} \times \frac{4}{3}\pi R_1^3 + \frac{4S}{R_2} \times \frac{4}{3}\pi R_2^3$$

$$R^2 = R_1^2 + R_2^2$$

$$R = \sqrt{R_1^2 + R_2^2}$$



A

$$\frac{R_1 R_2}{R_1 + R_2}$$

B

$$\sqrt{R_1^2 + R_2^2}$$

C

$$\frac{R_1 + R_2}{2}$$

D

$$\frac{R_1 R_2}{R_1 - R_2}$$

## QUESTION

A soap bubble in vacuum has a radius of 3 cm and another soap bubble in vacuum has a radius of 4 cm. If the two bubbles coalesce under **isothermal condition**, then the radius of the new bubble is:

- A 2.3 cm
- B 4.5 cm
- C 5 cm
- D 1 cm

$$R = \sqrt{R_1^2 + R_2^2}$$

$$R = \sqrt{3^2 + 4^2}$$

$$R = \sqrt{9 + 16} = \sqrt{25}$$

$$R = 5 \text{ cm}$$

## QUESTION



The spherical shape of rain-drop is due to

- A** Density of the liquid
- B** Surface tension
- C** Atmospheric pressure
- D** Gravity

## QUESTION



In a capillary tube, water rises by 1.2 mm. The height of water that will rise in another capillary tube having, half of the radius of the first is

**A** 1.2 mm

**B** 2.4 mm

**C** 0.6 mm

**D** 0.4 mm

$$\frac{h_2}{h_1} = \frac{r_1}{r_2}$$

$$\frac{h_2}{1.2} = \frac{r}{\frac{r}{2}} = 2$$

$$h_2 = 2 \times 1.2$$

$$h_2 = 2.4 \text{ mm}$$

$$h = \frac{2S \cos \theta}{\rho g r}$$

$$h \propto \frac{1}{r}$$

QUESTION



Water rises to a height  $h$  in a capillary at the surface of earth. On the surface of the moon the height of water column in the same capillary will be:

- A** 6 h
- B** 1/6 h
- C** h
- D** Zero

$$\frac{h_m}{h_E} = \frac{g_E}{g_m} = \frac{g}{\frac{g}{6}}, \quad g_m = \frac{1}{6} g_E$$

$$h = \frac{2s \cos \theta}{\rho g^2}$$

$$h \propto \frac{1}{g}$$

$$\frac{h_m}{h} = 6$$

$$h_m = 6h$$

## QUESTION



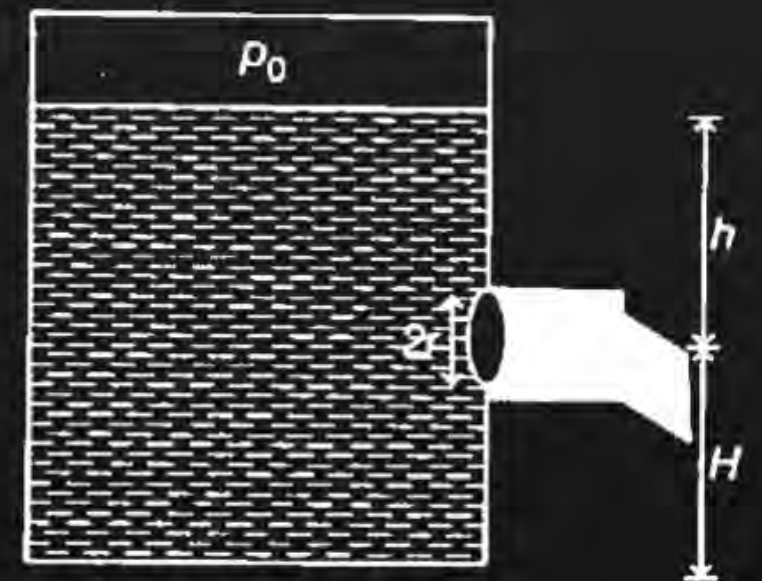
A closed water tank has cross-sectional area  $A$ . It has a small hole at a depth of  $h$  from the free surface of water. The radius of the hole is  $r$  so that  $r \ll \sqrt{\frac{A}{\pi}}$ .  $p_0$  is the pressure inside the tank above water level and  $p_a$  is the atmospheric pressure, the rate of flow of the water coming out of the hole is ( $\rho$  is density of water)

**A**  $\pi r^2 \sqrt{2gh}$   $\rightarrow AV = \text{const}$

**B**  $\pi r^2 \sqrt{2gh + \frac{2(\rho_0 - \rho_a)}{\rho}}$

**C**  $\pi r^2 \sqrt{2gH}$

**D**  $\pi r^2 \sqrt{gh + \frac{2(\rho_0 - \rho_a)}{\rho}}$



## QUESTION



Two capillary tubes P and Q are dipped vertically in water. The height of water level in capillary tube P is  $\frac{2}{3}$  of the height in capillary tube Q. The ratio of their diameter is

**A** 2:3

**B** 3:2

**C** 3:4

**D** 4:3

$$\frac{h_p}{h_q} = \frac{d_q}{d_p}$$

$$\frac{2/3}{1} = \frac{d_q}{d_p}$$

$$\frac{d_p}{d_q} = \frac{3}{2}$$

$$h \propto \frac{1}{r} \propto \frac{1}{d}$$

## QUESTION

When a soap bubble is charged?

- A** Its radius increases
- B** Its radius decreases
- C** The radius remains the same
- D** Its radius may increase or decrease



## QUESTION

A cylindrical container containing water has a small hole at height of  $H = 8$  cm from the bottom and at a depth of 2 cm from the top surface of the liquid. The maximum horizontal distance travelled by the water before it hits the ground  $x$  is

- A** 8 cm
- B**  $4\sqrt{2}$  cm
- C** 4 cm
- D** 6 cm

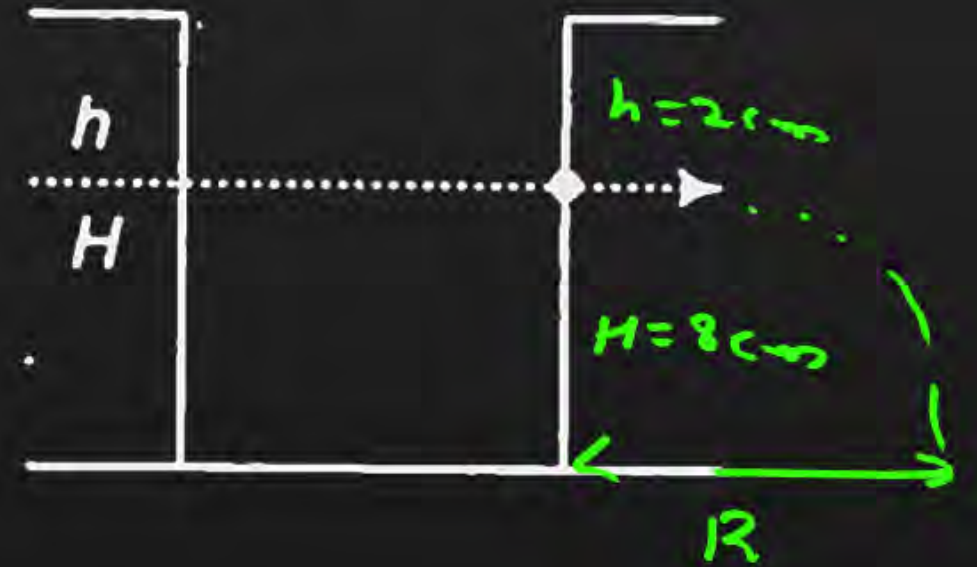
$$R = v t$$

$$R = \sqrt{2gh} \times \sqrt{\frac{2H}{g}}$$

$$R = \sqrt{2 \times 10 \times 2} \times \sqrt{\frac{2 \times 8}{10}}$$

$$R = \sqrt{\frac{2 \times 10 \times 2}{10} \times 2 \times 8} = \sqrt{64}$$

$$R = 8 \text{ cm}$$



## QUESTION



The pressure at the bottom of a liquid tank is not proportional to the

**A** acceleration due to gravity ✓

**B** density of the liquid ✓

**C** height of the liquid ✓

**D** area of the liquid surface

$$P = \rho g h$$

## QUESTION



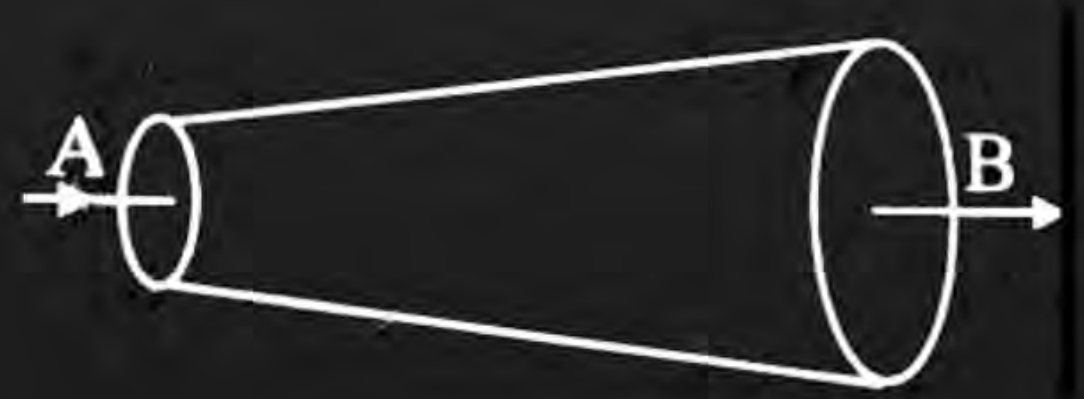
Hydraulic lift' works on the basis of

- A** Stoke's law
- B** Bernoulli's law
- C** Pascal's law
- D** Toricelli's law

## QUESTION

An ideal fluid flows through a pipe of circular cross-section with diameters 5 cm and 10 cm as shown in the figure. The ratio of velocities of fluid at A and B is

- A** 4 : 1
- B** 1 : 4
- C** 2 : 1
- D** 1 : 2



## QUESTION



A flow of liquid is streamline, if the Reynold's number is

- A** Less than 1000
- B** Greater than 1000
- C** Between 2000 to 3000
- D** Between 4000 to 5000

## QUESTION



Two capillary tubes of different diameters are dipped in water. The rise of water is

- A** The same in both tubes ✗
- B** Greater in the tube of larger diameter ✗
- C** Greater in the tube of smaller diameter ✓
- D** Independent of the diameter of the tube ✗

$$h \propto \frac{1}{r} \propto \frac{1}{d}$$

## QUESTION



Horizontal tube of non-uniform cross-section has radii of 0.1 m and 0.05 m respectively at M and N. For a streamline flow of liquid the **rate of liquid flow** is

- A** Changing continuously with time
- B** greater at M than at N
- C** greater at N than at M
- D** **same at M and N**

$$AV = \text{constant}$$



## QUESTION



Water rises in plant fibres due to

- A** capillarity
- B** viscosity
- C** fluid pressure
- D** osmosis



# THERMAL PROPERTIES OF MATTER



## Thermal properties of matter

Relationship between different temperature scales:

$$\frac{C}{100} = \frac{K - 273}{100} = \frac{F - 32}{180}$$

$$\frac{X - LFP}{UFP - LFP} = \text{constant}$$

Coefficient of linear expansion of a solid,

$$\Delta L = L \alpha \Delta T$$

$$\alpha = \frac{\Delta L}{\Delta T} \times \frac{1}{L}$$

Coefficient of area expansion of a solid,

$$\Delta A = A \beta \Delta T$$

$$\beta = \frac{\Delta A}{\Delta T} \times \frac{1}{A}$$

Coefficient of volume expansion of a solid,

$$\Delta V = V \gamma \Delta T$$

$$\gamma = \frac{\Delta V}{\Delta T} \times \frac{1}{V}$$



# Thermal properties of matter

Relation between  $\alpha$ ,  $\beta$  and  $\gamma$ :

$$\alpha : \beta : \gamma \Rightarrow 1 : 2 : 3$$

$$\alpha : \beta : \gamma = 1 : 2 : 3$$

$$\alpha = \frac{\beta}{2} = \frac{\gamma}{3}$$

\*

The specific heat of a substance is given by

$$\Delta Q \propto m \Delta T$$

$$\Delta Q = C m \Delta T$$

$$C = \frac{\Delta Q}{m \Delta T}$$

$m$  - mass

The molar specific heat of a substance is given by

$$C = \frac{\Delta Q}{n \Delta T}$$

$n$  - No. of mole

Thermal capacity

$$C' = \frac{\Delta Q}{\Delta T} = C m \Rightarrow C' = C m$$



## Thermal properties of matter

The latent heat of a substance

$$\Delta Q = mL$$

Principle of calorimetry:

$$\Delta Q_{\text{lost}} = \Delta Q_{\text{gain}}$$

$$m_1 c_1 \Delta T_1 = m_2 c_2 \Delta T_2$$

$$m_1 c_1 (T - T_1) = m_2 c_2 (T_2 - T)$$

When the ends of a bar are maintained at temperatures  $T_1$  and  $T_2$ , the rate of flow of heat  $H$  is given by

$$H = \frac{dQ}{dt} = \frac{KA \Delta T}{L}$$



## Thermal properties of matter

Thermal resistance of the bar

$$R = \rho \frac{l}{A}$$

$$R = \frac{l}{kA}$$

$$R = \frac{l}{kA}$$

Stefan–Boltzmann law

$$E \propto T^4$$

$$E = \sigma T^4$$

If the body is not a perfectly black body, then

$$E = e \sigma T^4$$



## Thermal properties of matter

The energy radiated per second by a body of area A:

$$P = \frac{E}{At} = \frac{\sigma T^4}{A}$$

$T_s$  - Surrounding temp.

Newton's law of cooling:

$$\frac{T_i - T_f}{t} = K \left[ \frac{T_i + T_f}{2} - T_s \right]$$

Wien's displacement law :

$$\lambda \propto \frac{1}{T} \Rightarrow \lambda = \frac{b}{T}$$

Thermal stress :

$$F = \gamma \alpha A \Delta T$$

## QUESTION



If a thermometer reads freezing point of water as  $20^{\circ}\text{C}$  and boiling point as  $150^{\circ}\text{C}$ , how much thermometer read when the actual temperature is  $60^{\circ}\text{C}$ ?

- A   $98^{\circ}\text{C}$
- B   $110^{\circ}\text{C}$
- C   $40^{\circ}\text{C}$
- D   $60^{\circ}\text{C}$

$$X^{\circ} = ^{\circ}\text{C}$$

$$\frac{X - \text{LFP}}{\text{UFP} - \text{LFP}} = \frac{C}{100}$$

$$\frac{13 \times 6}{78}$$

$$\frac{X - 20}{150 - 20} = \frac{60}{100}$$

$$\frac{X - 20}{130} = \frac{6}{10} \Rightarrow X - 20 = 78$$

$$X = 98^{\circ}\text{C}$$

## QUESTION



If temperature of an object is  $104^{\circ}\text{F}$ , then its temperature in centigrade is

**A**  $100^{\circ}\text{C}$

**B**  $60^{\circ}\text{C}$

**C**  $40^{\circ}\text{C}$

**D**  $20^{\circ}\text{C}$

$$\frac{C}{104} = \frac{F-32}{180}$$

$$\frac{C}{5} = \frac{F-32}{9}$$

$$C = \frac{5}{9}(104-32)$$

$$C = 40^{\circ}\text{C}$$

## QUESTION



At what temperature does the temperature in Celsius and Fahrenheit equalise

- A**   $-40^{\circ}$
- B**   $40^{\circ}$
- C**   $36.6^{\circ}$
- D**   $38^{\circ}$

$$^{\circ}\text{C} = ^{\circ}\text{F}$$

$$\frac{x}{10} = \frac{x - 32}{18}$$

$$\frac{x}{5} = \frac{x - 32}{9}$$

$$9x = 5(x - 32)$$

$$9x = 5x - 160$$

$$4x = -160$$

$$x = -40^{\circ}\text{C}$$

## QUESTION



The graph AB shown in figure is a plot of temperature of a body in degree Celsius and degree Fahrenheit. Then

- A** slope of line AB is  $9/5$
- B** slope of line AB is  $5/9$
- C** slope of line AB is  $1/9$
- D** slope of line AB is  $3/9$

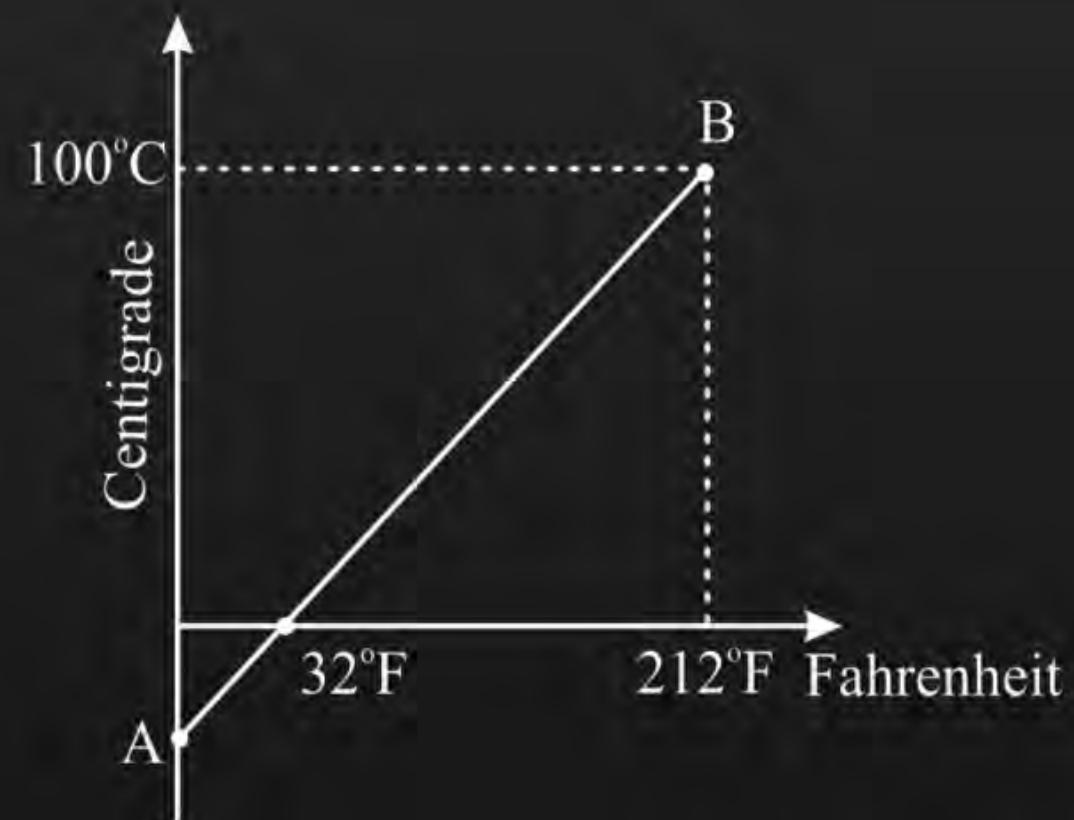
$$\frac{C}{5} = \frac{F-32}{9}$$

$$C = 5 \frac{(F-32)}{9}$$

$$C = \frac{5}{9}F - \frac{160}{9}$$

$$y = mx + c$$

$$m = \frac{5}{9}$$



## QUESTION



An iron bar of length 10 m is heated from  $0^{\circ}\text{C}$  to  $100^{\circ}\text{C}$ . If the coefficient of linear thermal expansion of iron is  $10 \times 10^{-6}/^{\circ}\text{C}$ , the increase in the length of bar is

- A** 0.5 cm
- B** 1.0 cm
- C** 1.5 cm
- D** 2.0 cm

$$\Delta L = L \alpha \Delta T$$

$$\Delta L = 10 \times 10 \times 10^{-6} \times 100$$

$$\Delta L = 10^4 \times 10^{-6}$$

$$\Delta L = 10^{-2} \text{ m}$$

$$\Delta L = 1 \text{ cm}$$

## QUESTION

A bar of iron is 10 cm at 20°C. At 19°C it will be ( $\alpha$  of iron =  $11 \times 10^{-6}/^{\circ}\text{C}$ )

cooling



A  $11 \times 10^{-6}$  cm longer ✗

B  $11 \times 10^{-6}$  cm shorter

C  $11 \times 10^{-5}$  cm shorter

D  $11 \times 10^{-5}$  cm longer ✗

$$\Delta L = L \alpha \Delta T$$

$$= 10 \times 11 \times 10^{-6} \times 1$$

$$\Delta L = 11 \times 10^{-5} \text{ cm}$$

## QUESTION



The coefficient of superficial expansion of a solid is  $2 \times 10^{-5} / ^\circ\text{C}$ . Its coefficient of linear expansion is

- A**  $4 \times 10^{-5} / ^\circ\text{C}$
- B**  $3 \times 10^{-5} / ^\circ\text{C}$
- C**  $2 \times 10^{-5} / ^\circ\text{C}$
- D**  $1 \times 10^{-5} / ^\circ\text{C}$

$$\alpha = \frac{\beta}{2} = \frac{2 \times 10^{-5}}{2}$$

$$\alpha = 1 \times 10^{-5} / ^\circ\text{C}$$

$$\alpha = ?$$

$$\beta = 2 \times 10^{-5} / ^\circ\text{C}$$

## QUESTION



Ratio among linear expansion coefficient ( $\alpha$ ), areal expansion coefficient ( $\beta$ ) and volume expansion coefficient ( $\gamma$ ) is

- A** 1 : 2 : 3
- B** 3 : 2 : 1
- C** 4 : 3 : 2
- D** None of these

## QUESTION



$L = 100$

A meter rod of silver at  $0^\circ\text{C}$  is heated to  $100^\circ\text{C}$ . Its length is increased by  $0.19\text{ cm}$ . Coefficient of cubical expansion of the silver rod is

- A**  $5.7 \times 10^{-5}/^\circ\text{C}$
- B**  $0.63 \times 10^{-5}/^\circ\text{C}$
- C**  $1.9 \times 10^{-5}/^\circ\text{C}$
- D**  $16.1 \times 10^{-5}/^\circ\text{C}$

$$\alpha = \frac{\Delta L}{\Delta T} \times \frac{1}{L}$$

$$\alpha = \frac{0.19 \times 10^{-2}}{100}$$

$$\alpha = 0.19 \times 10^{-4}$$

$$\alpha = 1.9 \times 10^{-5}/^\circ\text{C}$$

$$\gamma = 3\alpha$$

$$\gamma = 3 \times 1.9 \times 10^{-5}$$

$$\gamma = 5.7 \times 10^{-5}/^\circ\text{C}$$

$$\gamma = 9$$
$$\alpha = \frac{\gamma}{3}$$

## QUESTION



The volume of a metal sphere increases by 0.15% when its temperature is raised by 24°C. The coefficient of linear expansion of metal is :

- A**  $2.5 \times 10^{-5}/^{\circ}\text{C}$
- B**  $2.0 \times 10^{-5}/^{\circ}\text{C}$
- C**  $-1.5 \times 10^{-5}/^{\circ}\text{C}$
- D**  $1.2 \times 10^{-5}/^{\circ}\text{C}$

$$\gamma = \frac{\Delta V}{V} \times \frac{1}{\Delta T}$$

$$\gamma = \frac{\Delta V}{V} \times \frac{1}{\Delta T}$$

$$\gamma = \frac{0.15}{100} \times \frac{1}{24}$$

$$\gamma = 0.00625 \times 10^{-2}$$

$$\gamma = 6.25 \times 10^{-5} /^{\circ}\text{C}$$

$$\alpha = \frac{\gamma}{3}$$

$$\alpha = \frac{6.25 \times 10^{-5}}{3}$$

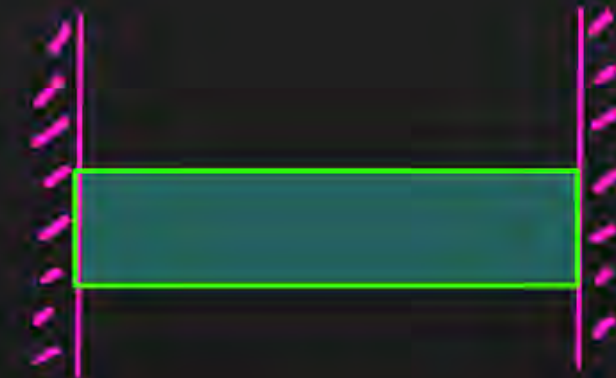
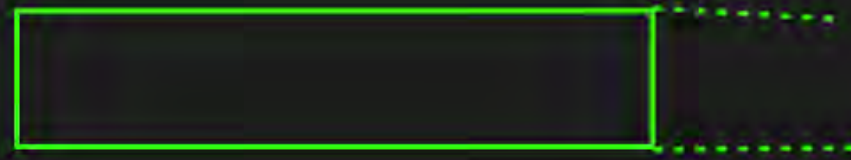
$$\alpha = 2.08 \times 10^{-5} /^{\circ}\text{C}$$

## QUESTION



A uniform copper rod of length 50 cm and diameter 3.0 mm is kept on a frictionless horizontal surface at  $20^\circ\text{C}$ . The coefficient of linear expansion of copper is  $2.0 \times 10^{-5} \text{ K}^{-1}$  and Young's modulus is  $1.2 \times 10^{11} \text{ N/m}^2$ . The copper rod is heated to  $100^\circ\text{C}$ , then the tension developed in the copper rod is

- A**  $12 \times 10^3 \text{ N}$
- B**  $36 \times 10^3 \text{ N}$
- C**  $18 \times 10^3 \text{ N}$
- D** Zero



$$F = Y \alpha A \Delta T$$

## QUESTION



A rod of length 2m rests **freely** on smooth horizontal floor. If the rod is heated from  $0^{\circ}\text{C}$  to  $20^{\circ}\text{C}$ . Find the longitudinal strain developed?  
( $\alpha = 5 \times 10^{-5}/^{\circ}\text{C}$ )

H.O.

$$\epsilon = \frac{\Delta L}{L}$$

$$\gamma = \frac{5}{2}$$

$$\epsilon = \frac{5}{4}$$

- A**  $10^{-3}$
- B**  $2 \times 10^{-3}$
- C** Zero
- D** None

## QUESTION



A body of mass 5 Kg falls from a height of 30 metre. Its all mechanical energy is changed heat, Then heat produced will be

- A** 350 cal
- B** 150 cal
- C** 60 cal
- D** 6 cal

$$P.E = mgh$$

$$H.E = 5 \times 10 \times 30$$

$$= 1500 \text{ J}$$

$$H.E = 1500 \times \frac{1 \text{ cal}}{4.186}$$

$$H.E = 358.33 \text{ cal}$$

$$1 \text{ cal} = 4.186 \text{ J}$$

$$1 \text{ J} = \frac{1 \text{ cal}}{4.186}$$



# CALORIMETRY

## Specific Heat:

	<b>C.G.S</b>	<b>S.I.</b>
$S_{\text{ice}}$	$\simeq 0.5 \text{ cal/gm}$	$\simeq 2100 \text{ J/kg}$
$S_{\text{water}}$	$\simeq 1 \text{ cal/gm}$	$\simeq 4200 \text{ J/kg}$
$S_{\text{steam}}$	$\simeq 0.5 \text{ cal/gm}$	$\simeq 2100 \text{ J/kg}$



# CALORIMETRY

## Latent heat:

Heat Required to change the phase of substance. During phase change temperature remains constant

Solid  $\xrightarrow{L_f}$  Liquid

$$L_f = 80 \text{ cal/gm (ice - water)}$$

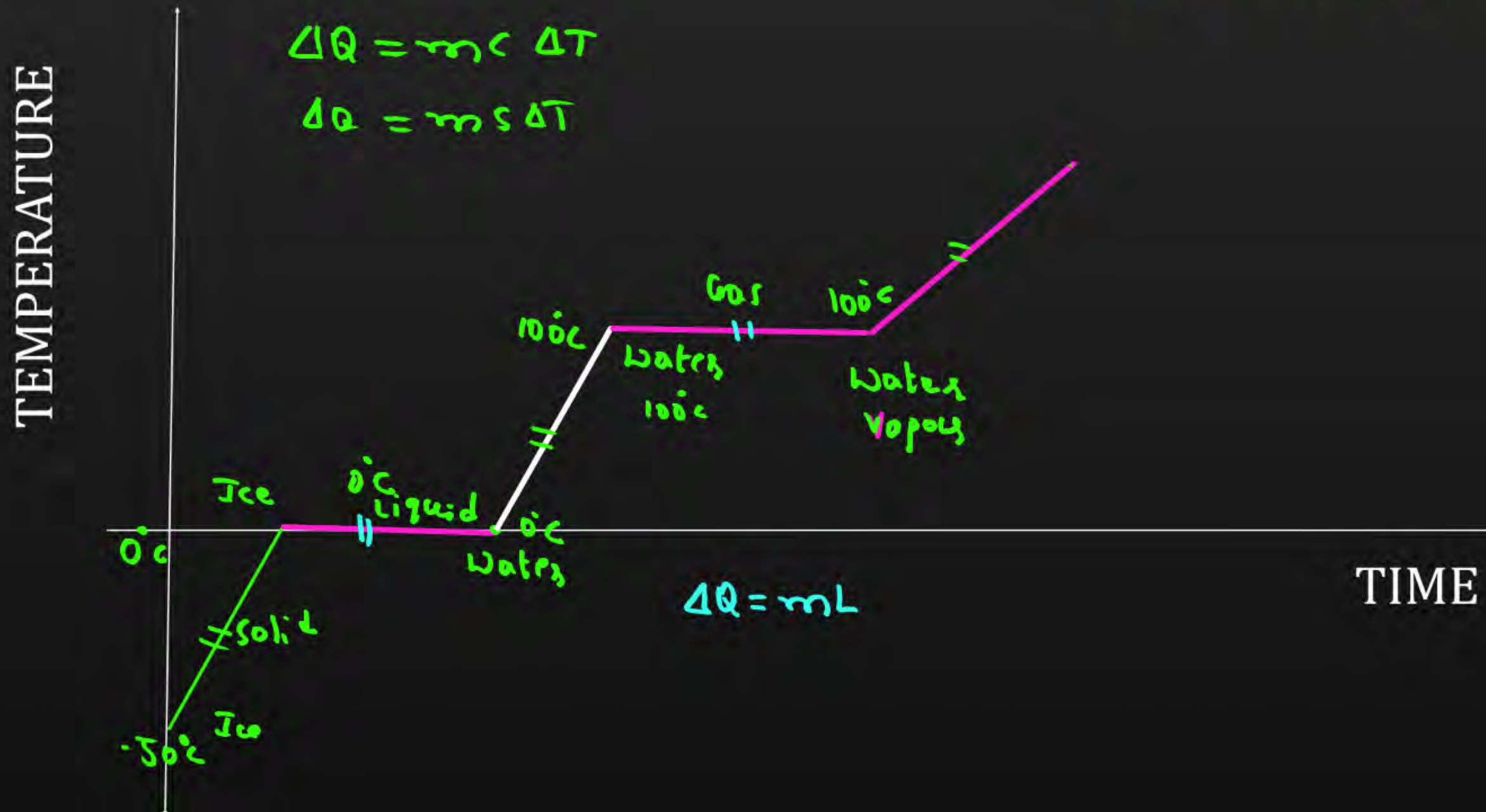
Liquid  $\xrightarrow{L_v}$  Gas

$$L_v = 540 \text{ cal/gm [ water - steam]}$$



# PHASE DIAGRAM FOR WATER

Sample of 50 gm ice at  $-50^{\circ}\text{C}$



## QUESTION



Find the amount of heat required to change 10g of water at 100°C to steam at 100°C

$$\begin{aligned}\Delta Q &= mL_v \\ &= 10 \times 540\end{aligned}$$

$$\Delta Q = 5400 \text{ cal}$$

## QUESTION



100 gm water at  $20^\circ\text{C}$  is mixed with 200 gm water at  $80^\circ\text{C}$ . Find the final temperature of mixture.

$$\Delta Q_{\text{lost}} = \Delta Q_{\text{gain}}$$

$$m_1 c_1 (T_1 - T) = m_2 c_2 (T - T_2)$$

$$200 \times c \times (80 - T) = 100 \times c \times (T - 20)$$

$$160 - 2T = T - 20$$

$$3T = 180$$

$$T = 60^\circ\text{C}$$

## QUESTION



10 g Ice at  $0^{\circ}\text{C}$  is mixed with 10 g water at  $60^{\circ}\text{C}$  water at  $60^{\circ}\text{C}$ . Find the final temperature of mixture.

[H.W]

## QUESTION



80 gm of water at 30°C are poured on a large block of ice at 0°C. The mass of ice that **melts** is

- A** 30 gm
- B** 80 gm
- C** 1600 gm
- D** 150 gm

$$\Delta Q_{\text{lost}} = \Delta Q_{\text{gain}}$$

$$m_1 c_1 (T_1 - T) = m_2 L_f$$

$$\cancel{80} \times 1 \times (30 - 0) = \cancel{m} \times \cancel{80}$$

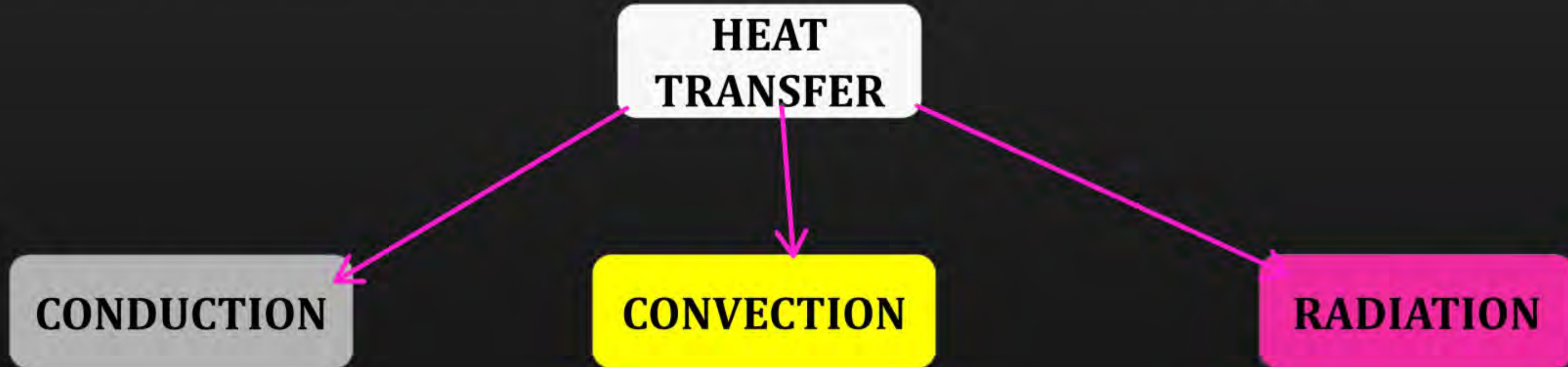
$$30 = m$$

$$m = 30 \text{ g}$$



## MODE OF HEAT TRANSFER

Heat can be transferred from one place to another place in three ways.





## Wein's Displacement Law

The wavelength corresponding to maximum emission of radiation decrease with increasing temperature ( $\lambda_m \propto \frac{1}{T}$ ). This is known as Wein's displacement law.

$$\lambda_m T = b$$

Where  $b$  is Wein's constant =  $2.89 \times 10^{-3}$  mK.

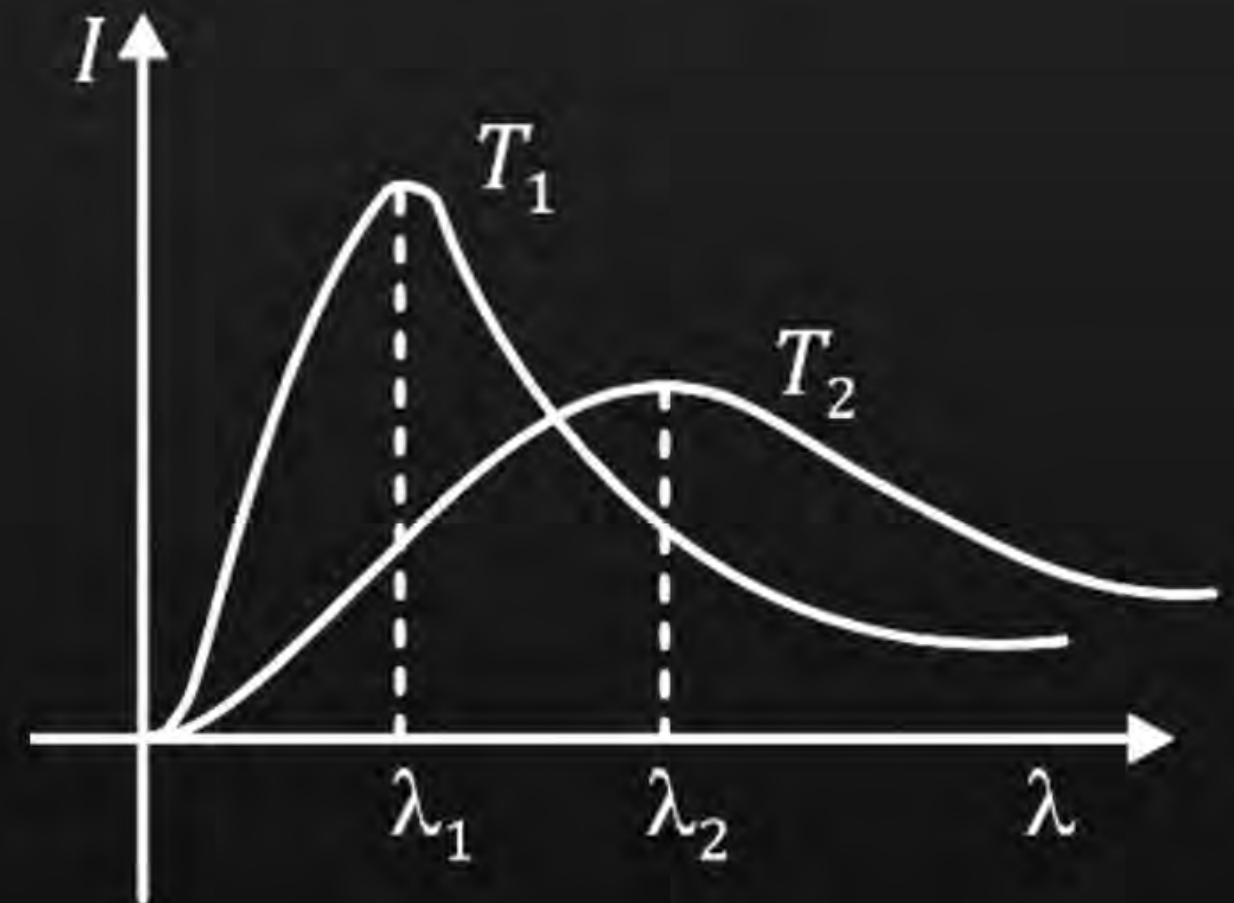
**Dimensions of  $b$ :**  $M^0 L^1 T^0 \theta^1$

$$T_1 > T_2$$

$$\lambda_1 < \lambda_2$$

$$\lambda_m T = b$$

$$\lambda \propto \frac{1}{T}$$



## QUESTION

In the figure, the distribution of spectral energy of the radiation emitted by a black body at a given temperature is shown. The possible temperature of the black body is :-  
 ( $b = 3 \times 10^{-3} \text{ mk}$ )

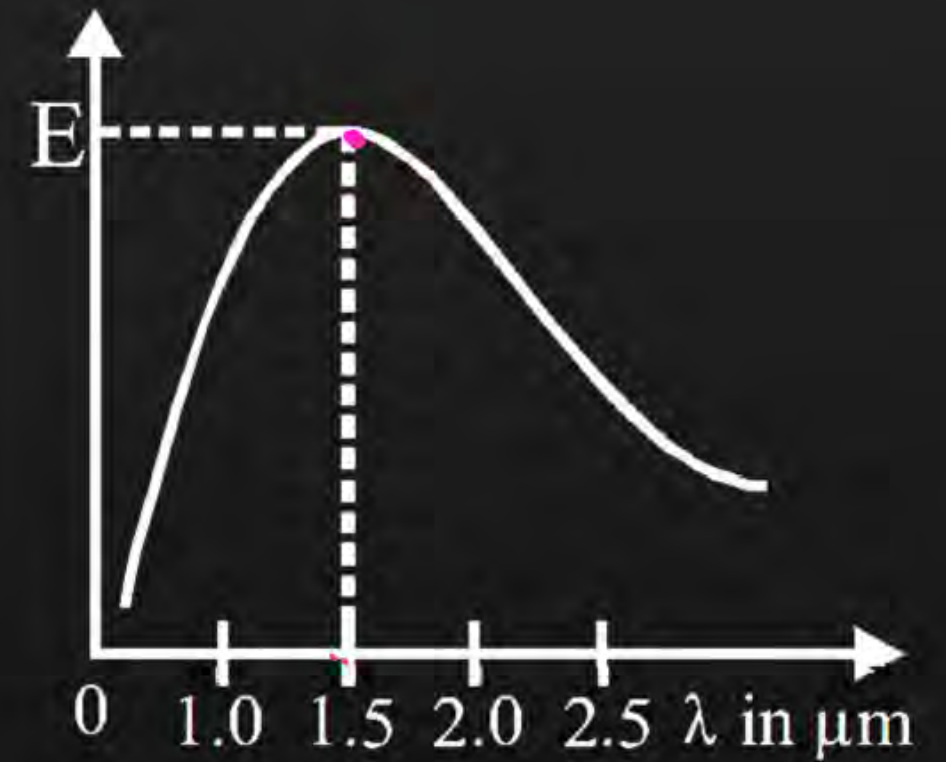
- A** 1500 K
- B** 2000 K
- C** 2500 K
- D** 3000 K

$$\lambda = \frac{b}{T}$$

$$T = \frac{b}{\lambda} = \frac{3 \times 10^{-3}}{1.5 \times 10^{-6}}$$

$$T = 2 \times 10^3$$

$$T = 2000 \text{ K}$$



QUESTION



A black body emits radiation of maximum intensity at  $5000 \text{ \AA}$  When its temperature is  $1227^\circ\text{C}$ . If its temperature is increased by  $1000^\circ\text{C}$  then the maximum intensity of emitted radiation will be at

- A  $2754.8 \text{ \AA}$
- B  $3000 \text{ \AA}$
- C  $3500 \text{ \AA}$
- D  $4000 \text{ \AA}$

$$\lambda \propto \frac{1}{T}$$

$$\frac{\lambda_1}{\lambda_2} = \frac{T_2}{T_1}$$

$$\frac{\lambda_2}{3000} = \frac{1227 + 273}{2227 + 273} = \frac{1500}{2500} = \frac{15}{25} = \frac{3}{5}$$

$$\lambda_2 = 3000 \text{ \AA}$$

## QUESTION



A piece of iron is heated in a flame. It first becomes dull red then becomes reddish yellow and finally turns to white hot. The correct explanation for the above observation is possible by using:

- A** Newton's law of cooling
- B** Stefan's Law
- C** Wein's displacement Law
- D** Kirchoffs Law

## QUESTION



Two stars A and B of Surface areas  $S_a$  and  $S_b$  & temperature  $T_a$  and  $T_b$  glow red and blue respectively. Choose the correct option is [H.W]

**A**  $T_a > T_b$

**B**  $T_a < T_b$

**C**  $T_a S_a = T_b S_b$

**D**  $T_a S_b = T_b S_a$

**Thank**

**You**